

Visual Numerics®

IMSL®

Fortran Numerical Library

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IMSL[®] FORTRAN NUMERICAL LIBRARY VERSION 6.0

Written for Fortran programmers and based on the world's most widely called numerical subroutines.

At the heart of the IMSL Libraries lies the comprehensive and trusted set of IMSL mathematical and statistical numerical algorithms. The IMSL Fortran Numerical Library Version 6.0 includes all of the algorithms from the IMSL family of Fortran libraries including the IMSL F90 Library, the IMSL FORTRAN 77 Library, and the IMSL parallel processing features. With IMSL, we provide the building blocks that eliminate the need to write code from scratch. These pre-written functions allow you to focus on your domain of expertise and reduce your development time.

ONE COMPREHENSIVE PACKAGE

All F77, F90 and parallel processing features are contained within a single IMSL Fortran Numerical Library package.

INTERFACE MODULES

The IMSL Fortran Numerical Library Version 6.0 includes powerful and flexible interface modules for all applicable routines. The Interface Modules accomplish the following:

- Allow for the use of advanced Fortran syntax and optional arguments throughout.
- Only require a short list of required arguments for each algorithm to facilitate development of simpler Fortran applications.
- Provide full depth and control via optional arguments for experienced programmers.
- Reduce development effort by checking data type matches and array sizing at compile time.
- With operators and function modules, provide faster and more natural programming through an object-oriented approach.

This simple and flexible interface to the library routines speeds programming and simplifies documentation. The IMSL Fortran Numerical Library takes full advantage of the intrinsic characteristics and desirable features of the Fortran language.

BACKWARD COMPATIBILITY

The IMSL Fortran Numerical Library Version 6.0 maintains full backward compatibility with earlier releases of the IMSL Fortran Libraries. No code modifications are required for existing applications that rely on previous versions of the IMSL Fortran Libraries. Calls to routines from the IMSL FORTRAN 77 Libraries with the F77 syntax continue to function as well as calls to the IMSL F90 Library.

SMP/OPENMP SUPPORT

The IMSL Fortran Numerical Library has also been designed to take advantage of symmetric multiprocessor (SMP) systems. Computationally intensive algorithms in areas such as linear algebra will leverage SMP capabilities on a variety of systems. By allowing you to replace the generic Basic Linear Algebra Subprograms (BLAS) contained in the IMSL Fortran Numerical Library with optimized routines from your hardware vendor, you can improve the performance of your numerical calculations.

MPI ENABLED

The IMSL Fortran Numerical Library provides a dynamic interface for computing mathematical solutions over a distributed system via the Message Passing Interface (MPI). MPI enabled routines offer a simple, reliable user interface. The IMSL Fortran Numerical Library provides a number of MPI-enabled routines with an MPI-enhanced interface that provides:

- Computational control of the server node.
- Scalability of computational resources.
- Automatic processor prioritization.
- Self-scheduling algorithm to keep processors continuously active.
- Box data type application.
- Computational integrity.
- Dynamic error processing.
- Homogeneous and heterogeneous network functionality.
- Use of descriptive names and generic interfaces.
- A suite of testing and benchmark software.

LAPACK AND SCALAPACK

LAPACK was designed to make the linear solvers and eigensystem routines run more efficiently on high performance computers. For a number of IMSL routines, the

user of the IMSL Fortran Numerical Library has the option of linking to code which is based on either the legacy routines or the more efficient LAPACK routines. To obtain improved performance we recommend linking with vendor High Performance versions of LAPACK and BLAS, if available. ScaLAPACK includes a subset of LAPACK codes redesigned for use on distributed memory MIMD parallel computers. Use of the ScaLAPACK enhanced routines allows a user to solve large linear systems of algebraic equations at a performance level that might not be achievable on one computer by performing the work in parallel across multiple computers. Visual Numerics facilitates the use of parallel computing in these situations by providing interfaces to ScaLAPACK routines which accomplish the task. The IMSL Library solver interface has the same look and feel whether one is using the routine on a single computer or across multiple computers.

USER FRIENDLY NOMENCLATURE

The IMSL Fortran Numerical Library uses descriptive explanatory function names for intuitive programming.

ERROR HANDLING

Diagnostic error messages are clear and informative – designed not only to convey the error condition but also to suggest corrective action if appropriate. These error-handling features:

- Make it faster and easier for you to debug your programs.
- Provide for more productive programming and confidence that the algorithms are functioning properly in your application.

COST-EFFECTIVENESS AND VALUE

The IMSL Fortran Numerical Library significantly shortens program development time and promotes standardization.

You will find that using the IMSL Fortran Numerical Library saves time in your source code development and saves thousands of dollars in the design, development, documentation, testing and maintenance of your applications.

FULLY TESTED

Visual Numerics has developed over 35 years of experience in testing IMSL numerical algorithms for quality and performance across an extensive range of the latest compilers and environments. Visual Numerics works with compiler partners and hardware partners to ensure a high degree of reliability and performance optimization. This experience has allowed Visual Numerics to refine its test methods with painstaking detail. The result of this effort is a robust, sophisticated suite of test methods that allow the IMSL user to rely on the numerical analysis functionality and focus their bandwidth on their application development and testing.

WIDE COMPATIBILITY AND UNIFORM OPERATION

The IMSL Fortran Numerical Library is available for major UNIX computing environments, Linux, and Microsoft Windows. Visual Numerics performs extensive compatibility testing to ensure that the library is compatible with each supported computing environment.

COMPREHENSIVE DOCUMENTATION

Documentation for the IMSL Fortran Numerical Library is comprehensive, clearly written and standardized. Detailed information about each function is found in a single source within a chapter and consists of section name, purpose, synopsis, errors, return values and usage examples. An alphabetical index in each manual enables convenient cross-referencing.

IMSL documentation:

- Provides organized, easy-to-find information.
- Extensively documents, explains and provides references for algorithms.
- Includes hundreds of searchable code examples of function usage.

UNMATCHED PRODUCT SUPPORT

Behind every Visual Numerics license is a team of professionals ready to provide expert answers to questions about your IMSL software. Product support options include product maintenance and consultation, ensuring value and performance of your IMSL software.

Product support:

- Gives you direct access to Visual Numerics resident staff of expert product support specialists.
- Provides prompt, two-way communication with solutions to your programming needs.
- Includes product maintenance updates.
- Enables flexible licensing options.

The IMSL Fortran Numerical Library can be licensed in a number of flexible ways: licenses may be node-locked to a specific computer, or a specified number of licenses can be purchased to “float” throughout a heterogeneous network as they are needed. This allows you to cost-effectively acquire as many seats as you need today, adding more seats when it becomes necessary. Site licenses and campus licenses are also available. Rely on the industry leader for software that is expertly developed, thoroughly tested, meticulously maintained and well documented. Get reliable results EVERY TIME!

Mathematical Functionality

The IMSL Fortran Numerical Library is a collection of the most commonly needed numerical functions customized for your programming needs. The mathematical functionality is organized into eleven sections. These capabilities range from solving systems of linear equations to optimization.

Linear Systems, including real and complex, full and sparse matrices, linear least squares, matrix decompositions, generalized inverses and vector-matrix operations.

Eigensystem Analysis, including eigenvalues and eigenvectors of complex, real symmetric and complex Hermitian matrices.

Interpolation and Approximation, including constrained curve-fitting splines, cubic splines, least-squares approximation and smoothing, and scattered data interpolation.

Integration and Differentiation, including univariate, multivariate, Gauss quadrature and quasi-Monte Carlo.

Differential Equations, using Adams-Gear and Runge-Kutta methods for stiff and non-stiff ordinary differential equations and support for partial differential equations.

Transforms, including real and complex, one- and two-dimensional fast Fourier transforms, as well as convolutions, correlations and Laplace transforms.

Nonlinear Equations, including zeros and root finding of polynomials, zeros of a function and root of a system of equations.

Optimization, including unconstrained, and linearly and nonlinearly constrained minimizations and the fastest linear programming algorithm available in a general math library.

Basic Matrix/Vector Operations, including Basic Linear Algebra Subprograms (BLAS) and matrix manipulation operations.

Linear Algebra Operators and Generic Functions, including matrix algebra operations, and matrix and utility functionality.

Utilities, including CPU time used, machine, mathematical, physical constants, retrieval of machine constants and customizable error-handling.

Mathematical Special Functions

The IMSL Fortran Numerical Library includes routines that evaluate the special mathematical functions that arise in applied mathematics, physics, engineering and other technical fields. The mathematical special functions are organized into twelve sections.

Elementary Functions, including complex numbers, exponential functions and logarithmic functions.

Trigonometric and Hyperbolic Functions, including trigonometric functions and hyperbolic functions.

Exponential Integrals and Related Functions, including exponential integrals, logarithmic integrals and integrals of trigonometric and hyperbolic functions.

Gamma Functions and Related Functions, including gamma functions, psi functions, Pochhammer's function and Beta functions.

Error Functions and Related Functions, including error functions and Fresnel integrals.

Bessel Functions, including real and integer order with both real and complex arguments.

Kelvin Functions, including Kelvin functions and their derivatives.

Airy Functions, including Airy functions, complex Airy functions, and their derivatives.

Elliptic Integrals, including complete and incomplete elliptic integrals.

Elliptic and Related Functions, including Weierstrass P-functions and the Jacobi elliptic function.

Probability Distribution Functions and Inverses, including statistical functions, such as chi-squared and inverse beta and many others.

Mathieu Functions, including eigenvalues and sequence of Mathieu functions.

Statistical Functionality

The statistical functionality is organized into twenty sections. These capabilities range from analysis of variance to random number generation.

Basic Statistics, including univariate summary statistics, frequency tables, and ranks and order statistics.

Regression, including stepwise regression, all best regression, multiple linear regression models, polynomial models and nonlinear models.

Correlation, including sample variance-covariance, partial correlation and covariances, pooled variance-covariance and robust estimates of a covariance matrix and mean factor.

Analysis of Variance, including one-way classification models, a balanced factorial design with fixed effects and the Student-Newman-Keuls multiple comparisons test.

Categorical and Discrete Data Analysis, including chi-squared analysis of a two-way contingency table, exact probabilities in a two-way contingency table and analysis of categorical data using general linear models.

Nonparametric Statistics, including sign tests, Wilcoxon sum tests and Cochran Q test for related observations.

Tests of Goodness-of-Fit and Randomness, including chi-squared goodness-of-fit tests, Kolmogorov/Smirnov tests and tests for normality.

Time Series Analysis and Forecasting, including analysis and forecasting of time series using a nonseasonal ARMA model, GARCH (Generalized Autoregressive Conditional Heteroskedasticity), Kalman filtering, Automatic Model Selection, Bayesian Seasonal Analysis and Prediction, Optimum Controller Design, Spectral Density Estimation, portmanteau lack of fit test and difference of a seasonal or nonseasonal time series.

Covariance Structures and Factor Analysis, including principal components and factor analysis.

Discriminant Analysis, including analysis of data using a generalized linear model and using various parametric models.

Cluster Analysis, including hierarchical cluster analysis and k-means cluster analysis.

Sampling, including analysis of data using a simple or stratified random sample.

Survival Analysis, Life Testing, and Reliability, including Kaplan-Meier estimates of survival probabilities.

Multidimensional Scaling, including alternating least squares methods.

Density and Hazard Estimation, including estimates for density and modified likelihood for hazards.

Line Printer Graphics, including histograms, scatter plots, exploratory data analysis, empirical probability distribution, and other graphics routines.

Probability Distribution Functions and Inverses, including binomial, hypergeometric, bivariate normal, gamma and many more.

Random Number Generation, including the Mersenne Twister generator and a generator for multivariate normal distributions and pseudorandom numbers from several distributions, including gamma, Poisson, beta, and low discrepancy sequence.

Utilities, including CPU time used, machine, mathematical, physical constants, retrieval of machine constants and customizable error-handling.

Mathematical Support, including linear systems, special functions, and nearest neighbors.

IMSL – Also available for C, Java™, and C# for .Net

IMSL C Numerical Library

The IMSL C Numerical Library is a comprehensive set of pre-built, thread-safe mathematical and statistical analysis functions that C or C++ programmers can embed directly into their numerical analysis applications. Based upon the same algorithms contained in the flagship IMSL Fortran Numerical Library, the IMSL C Numerical Library significantly shortens program development time by taking full advantage of the intrinsic characteristics and desirable features of the C language. Variable argument lists simplify calling sequences while the concise set of required arguments contains only the information necessary for usage. Optional arguments provide added functionality and power to each function. You will find that using the IMSL C Numerical Library saves significant effort in your source code development and thousands of dollars in the design, development, testing and maintenance of your application.

JMSL™ Numerical Library for Java Programmers

The JMSL Numerical Library is a pure Java numerical library that operates in the Java SE or Java EE frameworks. The library extends core Java numerics and allows developers to seamlessly integrate advanced mathematical, statistical, financial, and charting functions into their Java applications. To build this library, Visual Numerics has taken individual algorithms and re-implemented them as object-oriented Java classes. The JMSL Library is 100% pure Java and, like all Visual Numerics products, is fully tested and documented, with code examples included. The JMSL Library also adds financial functions and charting to the library, taking advantage of the collaboration and graphical benefits of Java. The JMSL Library is designed with extensibility in mind; new classes may be derived from existing ones to add functionality to satisfy particular requirements. The JMSL Numerical Library can provide advanced mathematics in client-side applets, server-side applications, Java WebStart applications and desktop Java applications.

IMSL C# Numerical Library for .Net Programmers

The IMSL C# Numerical Library is a 100% C# analytics library, providing broad coverage of advanced mathematics and statistics for the Microsoft® .NET Framework. The IMSL C# Numerical Library delivers a new level of embeddable and scalable analytics capability to Visual Studio™ users that was once only found in traditional high performance computing environments. This offers C# and Visual Basic.NET (VB.NET) developers seamless accessibility to advanced analytics

capabilities in the most integrated language for the .NET environment with the highest degree of programming productivity and ease of use with Visual Studio. Visual Numerics has taken C# to a new level by extending the mathematical framework of the language, significantly increasing the high performance analytics capabilities available for the .NET Framework. Classes such as a complex numbers class, a matrix class, as well as an advanced random number generator class provide a foundation from which advanced mathematics can be built. The IMSL C# Numerical Library can be used to write desktop Windows applications, ASP.NET server applications, and integrated with other components like Microsoft Excel 2003 applications using Visual Studio Tools for Office.

CHAPTER 1: LINEAR SYSTEMS

LINEAR SOLVERS

LIN_SOL_GEN	Solves a real general system of linear equations $Ax = b$.
LIN_SOL_SELF	Solves a system of linear equations $Ax = b$, where A is a self-adjoint matrix.
LIN_SOL_LSQ	Solves a rectangular system of linear equations $Ax \cong b$, in a least-squares sense.
LIN_SOL_SVD	Solves a rectangular least-squares system of linear equations $Ax \cong b$ using singular value decomposition.
LIN_SOL_TRI	Solves multiple systems of linear equations.
LIN_SVD	Computes the singular value decomposition (SVD) of a rectangular matrix, A .

LARGE-SCALE PARALLEL SOLVERS

PARALLEL_NONNEGATIVE_LSQ	Solves a linear, non-negative constrained least-squares system.
PARALLEL_BOUNDED_LSQ	Solves a linear least-squares system with bounds on the unknowns.

SOLUTION OF LINEAR SYSTEMS, MATRIX INVERSION, AND DETERMINANT EVALUATION

REAL GENERAL MATRICES

LSARG	Solves a real general system of linear equations with iterative refinement.
LSLRG	Solves a real general system of linear equations without iterative refinement.
LFCRG	Computes the LU factorization of a real general matrix and estimates its L_1 condition number.
LFTRG	Computes the LU factorization of a real general matrix.
LFSRG	Solves a real general system of linear equations given the LU factorization of the coefficient matrix.

REAL GENERAL MATRICES (con't)

LFIRG Uses iterative refinement to improve the solution of a real general system of linear equations.

LFDRG Computes the determinant of a real general matrix given the LU factorization of the matrix.

LINRG Computes the inverse of a real general matrix.

COMPLEX GENERAL MATRICES

LSACG Solves a complex general system of linear equations with iterative refinement.

LSLCG Solves a complex general system of linear equations without iterative refinement.

LFCCG Computes the LU factorization of a complex general matrix and estimates its L_1 condition number.

LFTCG Computes the LU factorization of a complex general matrix.

LFSCG Solves a complex general system of linear equations given the LU factorization of the coefficient matrix.

LFICG Uses iterative refinement to improve the solution of a complex general system of linear equations.

LFDCG Computes the determinant of a complex general matrix given the LU factorization of the matrix.

LINCG Computes the inverse of a complex general matrix.

REAL TRIANGULAR MATRICES

LSLRT Solves a real triangular system of linear equations.

LCFRT Estimates the condition number of a real triangular matrix.

LFDRT Computes the determinant of a real triangular matrix.

LINRT Computes the inverse of a real triangular matrix.

COMPLEX TRIANGULAR MATRICES

LSLCT Solves a complex triangular system of linear equations.

LCFCT Estimates the condition number of a complex triangular matrix.

LFDCCT Computes the determinant of a complex triangular matrix.

LINCT Computes the inverse of a complex triangular matrix.

REAL POSITIVE DEFINITE MATRICES

LSADS	Solves a real symmetric positive definite system of linear equations with iterative refinement.
LSLDS	Solves a real symmetric positive definite system of linear equations without iterative refinement.
LFCDs	Computes the $R^T R$ Cholesky factorization of a real symmetric positive definite matrix and estimates its L_1 condition number.
LFTDS	Computes the $R^T R$ Cholesky factorization of a real symmetric positive definite matrix.
LFSDS	Solves a real symmetric positive definite system of linear equations given the $R^T R$ Cholesky factorization of the coefficient matrix.
LFIDS	Uses iterative refinement to improve the solution of a real symmetric positive definite system of linear equations.
LFDDs	Computes the determinant of a real symmetric positive definite matrix given the $R^T R$ Cholesky factorization of the matrix.
LINDS	Computes the inverse of a real symmetric positive definite matrix.

REAL SYMMETRIC MATRICES

LSASF	Solves a real symmetric system of linear equations with iterative refinement.
LSLSF	Solves a real symmetric system of linear equations without iterative refinement.
LFCSF	Computes the $U D U^T$ factorization of a real symmetric matrix and estimates its L_1 condition number.
LFTSF	Computes the $U D U^T$ factorization of a real symmetric matrix.
LFSSF	Solves a real symmetric system of linear equations given the $U D U^T$ factorization of the coefficient matrix.
LFISF	Uses iterative refinement to improve the solution of a real symmetric system of linear equations.
LFDSF	Computes the determinant of a real symmetric matrix given the $U D U^T$ factorization of the matrix.

COMPLEX HERMITIAN POSITIVE DEFINITE MATRICES

LSADH	Solves a Hermitian positive definite system of linear equations with iterative refinement.
LSLDH	Solves a complex Hermitian positive definite system of linear equations without iterative refinement.

COMPLEX HERMITIAN POSITIVE DEFINITE MATRICES (con't)

LFCDH	Computes the $R^H R$ factorization of a complex Hermitian positive definite matrix and estimates its L_1 condition number.
LFTDH	Computes the $R^H R$ factorization of a complex Hermitian positive definite matrix.
LFSDH	Solves a complex Hermitian positive definite system of linear equations given the $R^H R$ factorization of the coefficient matrix.
LFIDH	Uses iterative refinement to improve the solution of a complex Hermitian positive definite system of linear equations.
LFDDH	Computes the determinant of a complex Hermitian positive definite matrix given the $R^H R$ Cholesky factorization of the matrix.

COMPLEX HERMITIAN MATRICES:

LSAHF	Solves a complex Hermitian system of linear equations with iterative refinement.
LSLHF	Solves a complex Hermitian system of linear equations without iterative refinement.
LFCHF	Computes the $U D U^H$ factorization of a complex Hermitian matrix and estimates its L_1 condition number.
LFTHF	Computes the $U D U^H$ factorization of a complex Hermitian matrix.
LFSHF	Solves a complex Hermitian system of linear equations given the $U D U^H$ factorization of the coefficient matrix.
LFHIF	Uses iterative refinement to improve the solution of a complex Hermitian system of linear equations.
LFDFH	Computes the determinant of a complex Hermitian matrix given the $U D U^H$ factorization of the matrix.

REAL BAND MATRICES IN BAND STORAGE MODE

LSLTR	Solves a real tridiagonal system of linear equations.
LSLCR	Computes the $L D U$ factorization of a real tridiagonal matrix A using a cyclic reduction algorithm.
LSLRB	Solves a real system of linear equations in band storage mode without iterative refinement.
LF CRB	Computes the LU factorization of a real matrix in band storage mode and estimates its L_1 condition number.
LFTRB	Computes the LU factorization of a real matrix in band storage mode.

REAL BAND MATRICES IN BAND STORAGE MODE (con't)

LFSRB	Solves a real system of linear equations given the LU factorization of the coefficient matrix in band storage mode.
LFIRB	Uses iterative refinement to improve the solution of a real system of linear equations in band storage mode.
LFDRB	Computes the determinant of a real matrix in band storage mode given the LU factorization of the matrix.

REAL BAND SYMMETRIC POSITIVE DEFINITE MATRICES IN BAND STORAGE MODE

LSAQS	Solves a real symmetric positive definite system of linear equations in band symmetric storage mode with iterative refinement.
LSLQS	Solves a real symmetric positive definite system of linear equations in band symmetric storage mode without iterative refinement.
LSLPB	Computes the R^TDR Cholesky factorization of a real symmetric positive definite matrix A in codiagonal band symmetric storage mode. Solves a system $Ax = b$.
LFCQS	Computes the R^TR Cholesky factorization of a real symmetric positive definite matrix in band symmetric storage mode and estimates its L_1 condition number.
LFTQS	Computes the R^TR Cholesky factorization of a real symmetric positive definite matrix in band symmetric storage mode.
LFSQS	Solves a real symmetric positive definite system of linear equations given the factorization of the coefficient matrix in band symmetric storage mode.
LFIQS	Uses iterative refinement to improve the solution of a real symmetric positive definite system of linear equations in band symmetric storage mode.
LFDQS	Computes the determinant of a real symmetric positive definite matrix given the R^TR Cholesky factorization of the band symmetric storage mode.

COMPLEX BAND MATRICES IN BAND STORAGE MODE

LSLTQ	Solves a complex tridiagonal system of linear equations.
LSLCQ	Computes the LDU factorization of a complex tridiagonal matrix A using a cyclic reduction algorithm.
LSACB	Solves a complex system of linear equations in band storage mode with iterative refinement.
LSLCB	Solves a complex system of linear equations in band storage mode without iterative refinement.
LFCCB	Computes the LU factorization of a complex matrix in band storage mode and estimates its L_1 condition number.

COMPLEX BAND MATRICES IN BAND STORAGE MODE (con't)

LFTCB	Computes the LU factorization of a complex matrix in band storage mode.
LFSCB	Solves a complex system of linear equations given the LU factorization of the coefficient matrix in band storage mode.
LFICB	Uses iterative refinement to improve the solution of a complex system of linear equations in band storage mode.
LFDCB	Computes the determinant of a complex matrix given the LU factorization of the matrix in band storage mode.

COMPLEX BAND POSITIVE DEFINITE MATRICES IN BAND STORAGE MODE

LSAQH	Solves a complex Hermitian positive definite system of linear equations in band Hermitian storage mode with iterative refinement.
LSLQH	Solves a complex Hermitian positive definite system of linear equations in band Hermitian storage mode without iterative refinement.
LSLQB	Computes the $R^H DR$ Cholesky factorization of a complex Hermitian positive-definite matrix A in codiagonal band Hermitian storage mode. Solves a system $Ax = b$.
LFCQH	Computes the $R^H R$ factorization of a complex Hermitian positive definite matrix in band Hermitian storage mode and estimates its L_1 condition number.
LFTQH	Computes the $R^H R$ factorization of a complex Hermitian positive definite matrix in band Hermitian storage mode.
LFSQH	Solves a complex Hermitian positive definite system of linear equations given the factorization of the coefficient matrix in band Hermitian storage mode.
LFIQH	Uses iterative refinement to improve the solution of a complex Hermitian positive definite system of linear equations in band Hermitian storage mode.
LFDQH	Computes the determinant of a complex Hermitian positive definite matrix given the $R^H R$ Cholesky factorization in band Hermitian storage mode.

REAL SPARSE LINEAR EQUATION SOLVERS

LSLXG	Solves a sparse system of linear algebraic equations by Gaussian elimination.
LFTXG	Computes the LU factorization of a real general sparse matrix.
LFSXG	Solves a sparse system of linear equations given the LU factorization of the coefficient matrix.

COMPLEX SPARSE LINEAR EQUATION SOLVERS

LSLZG	Solves a complex sparse system of linear equations by Gaussian elimination.
LFTZG	Computes the LU factorization of a complex general sparse matrix.
LFSZG	Solves a complex sparse system of linear equations given the LU factorization of the coefficient matrix.

REAL SPARSE SYMMETRIC POSITIVE DEFINITE LINEAR EQUATIONS SOLVERS

LSLXD	Solves a sparse system of symmetric positive definite linear algebraic equations by Gaussian elimination.
LSCXD	Performs the symbolic Cholesky factorization for a sparse symmetric matrix using a minimum degree ordering or a user-specified ordering, and set up the data structure for the numerical Cholesky factorization.
LNFXD	Computes the numerical Cholesky factorization of a sparse symmetrical matrix A .
LFSXD	Solves a real sparse symmetric positive definite system of linear equations, given the Cholesky factorization of the coefficient matrix.

COMPLEX SPARSE HERMITIAN POSITIVE DEFINITE LINEAR EQUATIONS SOLVERS

LSLZD	Solves a complex sparse Hermitian positive definite system of linear equations by Gaussian elimination.
LNFDZD	Computes the numerical Cholesky factorization of a sparse Hermitian matrix A .
LFSZD	Solves a complex sparse Hermitian positive definite system of linear equations, given the Cholesky factorization of the coefficient matrix.

REAL TOEPLITZ MATRICES IN TOEPLITZ STORAGE MODE

LSLTO	Solves a real Toeplitz linear system.
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COMPLEX TOEPLITZ MATRICES IN TOEPLITZ STORAGE MODE

LSLTC	Solves a complex Toeplitz linear system.
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COMPLEX CIRCULAR MATRICES IN CIRCULANT STORAGE MODE

LSLCC	Solves a complex circulant linear system.
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ITERATIVE METHODS

PCGRC	Solves a real symmetric definite linear system using a preconditioned conjugate gradient method with reverse communication.
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ITERATIVE METHODS (cont)

JCGRC

Solves a real symmetric definite linear system using the Jacobi-preconditioned conjugate gradient method with reverse communication.

GMRES

Uses **GMRES** with reverse communication to generate an approximate solution of $Ax = b$.

LINEAR LEAST SQUARES AND MATRIX FACTORIZATION

LEAST SQUARES, QR DECOMPOSITION AND GENERALIZED INVERSE LEAST SQUARES

LSQRR

Solves a linear least-squares problem without iterative refinement.

LQRRV

Computes the least-squares solution using Householder transformations applied in blocked form.

LSBRR

Solves a linear least-squares problem with iterative refinement.

LCLSQ

Solves a linear least-squares problem with linear constraints.

LQRRR

Computes the QR decomposition, $AP = QR$, using Householder transformations.

LQERR

Accumulate the orthogonal matrix Q from its factored form given the QR factorization of a rectangular matrix A .

LQRSL

Computes the coordinate transformation, projection, and complete the solution of the least-squares problem $Ax = b$.

LUPQR

Computes an updated QR factorization after the rank-one matrix αxy^T is added.

CHOLESKY FACTORIZATION

LCHRG

Computes the Cholesky decomposition of a symmetric positive semidefinite matrix with optional column pivoting.

LUPCH

Updates the $R^T R$ Cholesky factorization of a real symmetric positive definite matrix after a rank-one matrix is added.

LDNCH

Downdates the $R^T R$ Cholesky factorization of a real symmetric positive definite matrix after a rank-one matrix is removed.

SINGULAR VALUE DECOMPOSITIONS

LSVRR

Computes the singular value decomposition of a real matrix.

LSVCR

Computes the singular value decomposition of a complex matrix.

LSGRR

Computes the generalized inverse of a real matrix.

CHAPTER 2: EIGENSYSTEM ANALYSIS

EIGENVALUE DECOMPOSITION

LIN_EIG_SELF	Computes the eigenvalues of a self-adjoint matrix, A .
LIN_EIG_GEN	Computes the eigenvalues of an $n \times n$ matrix, A .
LIN_GEIG_GEN	Computes the generalized eigenvalues of an $n \times n$ matrix pencil, $Av = \lambda Bv$.

EIGENVALUES AND (OPTIONALLY) EIGENVECTORS OF $AX = \lambda X$

REAL GENERAL PROBLEM $AX = \lambda X$

EVLRG	Computes all of the eigenvalues of a real matrix.
EVCRG	Computes all of the eigenvalues and eigenvectors of a real matrix.
EPIRG	Computes the performance index for a real eigensystem.

COMPLEX GENERAL PROBLEM $AX = \lambda X$

EVLCG	Computes all of the eigenvalues of a complex matrix.
EVCCG	Computes all of the eigenvalues and eigenvectors of a complex matrix.
EPICG	Computes the performance index for a complex eigensystem.

REAL SYMMETRIC PROBLEM $AX = \lambda X$

EVLSE	Computes all of the eigenvalues of a real symmetric matrix.
EVCSF	Computes all of the eigenvalues and eigenvectors of a real symmetric matrix.
EVSF	Computes the largest or smallest eigenvalues of a real symmetric matrix.
EVSF	Computes the largest or smallest eigenvalues and the corresponding eigenvectors of a real symmetric matrix.
EVBSF	Computes selected eigenvalues of a real symmetric matrix.
EVFSF	Computes selected eigenvalues and eigenvectors of a real symmetric matrix.
EPISF	Computes the performance index for a real symmetric eigensystem.

REAL BAND SYMMETRIC MATRICES IN BAND STORAGE MODE

EVLSB	Computes all of the eigenvalues of a real symmetric matrix in band symmetric storage mode.
EVCSB	Computes all of the eigenvalues and eigenvectors of a real symmetric matrix in band symmetric storage mode.
EVASB	Computes the largest or smallest eigenvalues of a real symmetric matrix in band symmetric storage mode.
EVE SB	Computes the largest or smallest eigenvalues and the corresponding eigenvectors of a real symmetric matrix in band symmetric storage mode.
EVBSB	Computes the eigenvalues in a given interval of a real symmetric matrix stored in band symmetric storage mode.
EVFSB	Computes the eigenvalues in a given interval and the corresponding eigenvectors of a real symmetric matrix stored in band symmetric storage mode.
EPI SB	Computes the performance index for a real symmetric eigensystem in band symmetric storage mode.

COMPLEX HERMITIAN MATRICES

EVLHF	Computes all of the eigenvalues of a complex Hermitian matrix.
EVCHF	Computes all of the eigenvalues and eigenvectors of a complex Hermitian matrix.
EVAHF	Computes the largest or smallest eigenvalues of a complex Hermitian matrix.
EVEHF	Computes the largest or smallest eigenvalues and the corresponding eigenvectors of a complex Hermitian matrix.
EVBFH	Computes the eigenvalues in a given range of a complex Hermitian matrix.
EVFHF	Computes the eigenvalues in a given range and the corresponding eigenvectors of a complex Hermitian matrix.
EPIHF	Computes the performance index for a complex Hermitian eigensystem.

REAL UPPER HESSENBERG MATRICES

EVL RH	Computes all of the eigenvalues of a real upper Hessenberg matrix.
EVCRH	Computes all of the eigenvalues and eigenvectors of a real upper Hessenberg matrix.

COMPLEX UPPER HESSENBERG MATRICES

EVLCH Computes all of the eigenvalues of a complex upper Hessenberg matrix.

EVCH Computes all of the eigenvalues and eigenvectors of a complex upper Hessenberg matrix.

EIGENVALUES AND (OPTIONALLY) EIGENVECTORS OF $AX = \lambda BX$ REAL GENERAL PROBLEM $AX = \lambda BX$

GVLRG Computes all of the eigenvalues of a generalized real eigensystem $Az = \lambda Bz$.

GVCRG Computes all of the eigenvalues and eigenvectors of a generalized real eigensystem $Az = \lambda Bz$.

GPIRG Computes the performance index for a generalized real eigensystem $Az = \lambda Bz$.

COMPLEX GENERAL PROBLEM $AX = \lambda BX$

GVLCG Computes all of the eigenvalues of a generalized complex eigensystem $Az = \lambda Bz$.

GVCCG Computes all of the eigenvalues and eigenvectors of a generalized complex eigensystem $Az = \lambda Bz$.

GPICG Computes the performance index for a generalized complex eigensystem $Az = \lambda Bz$.

REAL SYMMETRIC PROBLEM $AX = \lambda BX$

GVLSP Computes all of the eigenvalues of the generalized real symmetric eigenvalue problem $Az = \lambda Bz$, with B symmetric positive definite.

GVCS Computes all of the eigenvalues and eigenvectors of the generalized real symmetric eigenvalue problem $Az = \lambda Bz$, with B symmetric positive definite.

GPISP Computes the performance index for a generalized real symmetric eigensystem problem.

CHAPTER 3: INTERPOLATION AND APPROXIMATION

CURVE AND SURFACE FITTING WITH SPLINES

SPLINE_CONSTRAINTS Returns the derived type array result.

SPLINE_VALUES Returns an array result, given an array of input.

CURVE AND SURFACE FITTING WITH SPLINES (con't)

SPLINE_FITTING	Weighted least-squares fitting by B-splines to discrete One-Dimensional data is performed.
SURFACE_CONSTRAINTS	Returns the derived type array result given optional input.
SURFACE_VALUES	Returns a tensor product array result, given two arrays of independent variable values.
SURFACE_FITTING	Weighted least-squares fitting by tensor product B-splines to discrete two-dimensional data is performed.

CUBIC SPLINE INTERPOLATION

CSIEZ	Computes the cubic spline interpolant with the 'not-a-knot' condition and returns values of the interpolant at specified points.
CSINT	Computes the cubic spline interpolant with the 'not-a-knot' condition.
CSDEC	Computes the cubic spline interpolant with specified derivative endpoint conditions.
CSHER	Computes the Hermite cubic spline interpolant.
CSAKM	Computes the Akima cubic spline interpolant.
CSCON	Computes a cubic spline interpolant that is consistent with the concavity of the data.
CSPER	Computes the cubic spline interpolant with periodic boundary conditions.

CUBIC SPLINE EVALUATION AND INTEGRATION

CSVAL	Evaluates a cubic spline.
CSDER	Evaluates the derivative of a cubic spline.
CS1GD	Evaluates the derivative of a cubic spline on a grid.
CSITG	Evaluates the integral of a cubic spline.

B-SPLINE INTERPOLATION

SPLSZ	Computes the values of a spline that either interpolates or fits user-supplied data.
BSINT	Computes the spline interpolant, returning the B-spline coefficients.
BSNAK	Computes the "not-a-knot" spline knot sequence.
BSOPK	Computes the "optimal" spline knot sequence.

B-SPLINE INTERPOLATION (cont)

BS2IN Computes a two-dimensional tensor-product spline interpolant, returning the tensor-product B-spline coefficients.

BS3IN Computes a three-dimensional tensor-product spline interpolant, returning the tensor-product B-spline coefficients.

SPLINE EVALUATION, INTEGRATION, AND CONVERSION TO PIECEWISE POLYNOMIAL GIVEN THE B-SPLINE REPRESENTATION

BSVAL Evaluates a spline, given its B-spline representation.

BSDER Evaluates the derivative of a spline, given its B-spline representation.

BS1GD Evaluates the derivative of a spline on a grid, given its B-spline representation.

BSITG Evaluates the integral of a spline, given its B-spline representation.

BS2VL Evaluates a two-dimensional tensor-product spline, given its tensor-product B-spline representation.

BS2DR Evaluates the derivative of a two-dimensional tensor-product spline, given its tensor-product B-spline representation.

BS2GD Evaluates the derivative of a two-dimensional tensor-product spline, given its tensor-product B-spline representation on a grid.

BS2IG Evaluates the integral of a tensor-product spline on a rectangular domain, given its tensor-product B-spline representation.

BS3VL Evaluates a three-dimensional tensor-product spline, given its tensor-product B-spline representation.

BS3DR Evaluates the derivative of a three-dimensional tensor-product spline, given its tensor-product B-spline representation.

BS3GD Evaluates the derivative of a three-dimensional tensor-product spline, given its tensor-product B-spline representation on a grid.

BS3IG Evaluates the integral of a tensor-product spline in three dimensions over a three-dimensional rectangle, given its tensor-product B-spline representation.

BSCPP Converts a spline in B-spline representation to piecewise polynomial representation.

PIECEWISE POLYNOMIAL

PPVAL Evaluates a piecewise polynomial.

PPDER Evaluates the derivative of a piecewise polynomial.

PIECEWISE POLYNOMIAL (con't)

PP1GD Evaluates the derivative of a piecewise polynomial on a grid.

PPITG Evaluates the integral of a piecewise polynomial.

QUADRATIC POLYNOMIAL INTERPOLATION ROUTINES FOR GRIDDED DATA

QDVAL Evaluates a function defined on a set of points using quadratic interpolation.

QDDER Evaluates the derivative of a function defined on a set of points using quadratic interpolation.

QD2VL Evaluates a function defined on a rectangular grid using quadratic interpolation.

QD2DR Evaluates the derivative of a function defined on a rectangular grid using quadratic interpolation.

QD3VL Evaluates a function defined rectangular three-dimensional quadratic interpolation.

QD3DR Evaluates the derivative of a function defined on a rectangular three-dimensional grid using quadratic interpolation.

SCATTERED DATA INTERPOLATION

SURF Computes a smooth bivariate interpolant to scattered data that is locally a quintic polynomial in two variables.

LEAST-SQUARES APPROXIMATION

RLINE Fits a line to a set of data points using least squares.

RCURV Fits a polynomial curve using least squares.

FNLSQ Computes a least-squares approximation with user-supplied basis functions.

BSLSQ Computes the least-squares spline approximation, and returns the B-spline coefficients.

BSVLS Computes the variable knot B-spline least squares approximation to given data.

CONFT Computes the least-squares constrained spline approximation, returning the B-spline coefficients.

BSLS2 Computes a two-dimensional tensor-product spline approximant using least squares, returning the tensor-product B-spline coefficients.

BSLS3 Computes a three-dimensional tensor-product spline approximant using least squares, returning the tensor-product B-spline coefficients.

CUBIC SPLINE SMOOTHING

CSSD	Smooth one-dimensional data by error detection.
CSSMH	Computes a smooth cubic spline approximation to noisy data.
CSSCV	Computes a smooth cubic spline approximation to noisy data using cross-validation to estimate the smoothing parameter.

RATIONAL L_∞ APPROXIMATION

RATCH	Computes a rational weighted Chebyshev approximation to a continuous function on an interval.
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CHAPTER 4: INTEGRATION AND DIFFERENTIATION**UNIVARIATE QUADRATURE**

QDAGS	Integrates a function (which may have endpoint singularities).
QDAG	Integrates a function using a globally adaptive scheme based on Gauss-Kronrod rules.
QDAGP	Integrates a function with singularity points given.
QDAGI	Integrates a function over an infinite or semi-infinite interval.
QDAWO	Integrates a function containing a sine or a cosine.
QDAWF	Computes a Fourier integral.
QDAWS	Integrates a function with algebraic logarithmic singularities.
QDAWC	Integrates a function $F(X)/(X - C)$ in the Cauchy principal value sense.
QDNG	Integrates a smooth function using a nonadaptive rule.

MULTIDIMENSIONAL QUADRATURE

TWODQ	Computes a two-dimensional iterated integral.
QAND	Integrates a function on a hyperrectangle.
QMC	Integrates a function over a hyperrectangle using a quasi-Monte Carlo method.

GAUSS RULES AND THREE-TERM RECURRENCES

GQRUL	Computes a Gauss, Gauss-Radau, or Gauss-Lobatto quadrature rule with various classical weight functions.
GQRCF	Computes a Gauss, Gauss-Radau or Gauss-Lobatto quadrature rule given the recurrence coefficients for the monic polynomials orthogonal with respect to the weight function.
RECCF	Computes recurrence coefficients for various monic polynomials.
RECQR	Computes recurrence coefficients for monic polynomials given a quadrature rule.
FQRUL	Computes a Fejér quadrature rule with various classical weight functions.

DIFFERENTIATION

DERIV	Computes the first, second or third derivative of a user-supplied function.
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CHAPTER 5: DIFFERENTIAL EQUATIONS

FIRST-ORDER ORDINARY DIFFERENTIAL EQUATIONS

SOLUTION OF THE INITIAL VALUE PROBLEM FOR ODES

IVPRK	Solves an initial-value problem for ordinary differential equations using the Runge-Kutta-Verner fifth-order and sixth-order method.
IVMRK	Solves an initial-value problem $y' = f(t, y)$ for ordinary differential equations using Runge-Kutta pairs of various orders.
IVPAG	Solves an initial-value problem for ordinary differential equations using either Adams-Moulton's or Gear's BDF method.

SOLUTION OF THE BOUNDARY VALUE PROBLEM FOR ODES

BVPFD	Solves a (parameterized) system of differential equations with boundary conditions at two points, using a variable order, variable step size finite difference method with deferred corrections.
BVPMS	Solves a (parameterized) system of differential equations with boundary conditions at two points, using a multiple-shooting method.

SOLUTION OF DIFFERENTIAL-ALGEBRAIC SYSTEMS

DASPG	Solves a first order differential-algebraic system of equations, $g(t, y, y') = 0$, using the Petzold-Gear BDF method.
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PARTIAL DIFFERENTIAL EQUATIONS

SOLUTION OF SYSTEMS OF PDES IN ONE DIMENSION

PDE_1D_MG

Method of lines with Variable Griddings.

MOLCH

Solves a system of partial differential equations of the form $u_t = f(x, t, u, u_x, u_{xx})$ using the method of lines. The solution is represented with cubic Hermite polynomials.

SOLUTION OF SYSTEMS OF PDES IN TWO AND THREE DIMENSIONS

FPS2H

Solves Poisson's or Helmholtz's equation on a two-dimensional rectangle using a fast Poisson solver based on the HODIE finite-difference scheme on a uniform mesh.

FPS3H

Solves Poisson's or Helmholtz's equation on a three-dimensional box using a fast Poisson solver based on the HODIE finite-difference scheme on a uniform mesh.

STURM-LIOUVILLE PROBLEMS

SLEIG

Determines eigenvalues, eigenfunctions and/or spectral density functions for Sturm-Liouville problems.

SLCNT

Calculates the indices of eigenvalues of a Sturm-Liouville problem.

CHAPTER 6: TRANSFORMS

REAL TRIGONOMETRIC FFT

FAST_DFT

Computes the Discrete Fourier Transform of a rank-1 complex array, X .

FAST_2DFT

Computes the Discrete Fourier Transform (2DFT) of a rank-2 complex array, X .

FAST_3DFT

Computes the Discrete Fourier Transform (2DFT) of a rank-3 complex array, X .

FFTRF

Computes the Fourier coefficients of a real periodic sequence.

FFTRB

Computes the real periodic sequence from its Fourier coefficients.

FFTRI

Computes parameters needed by **FFTRF** and **FFTRB**.

COMPLEX EXPONENTIAL FFT

FFTCF

Computes the Fourier coefficients of a complex periodic sequence.

COMPLEX EXPONENTIAL FIT (cont)

FFTCB Computes the complex periodic sequence from its Fourier coefficients.

FFTCI Computes parameters needed by **FFTCF** and **FFTCB**.

REAL SINE AND COSINE FFTS

FSINT Computes the discrete Fourier sine transformation of an odd sequence.

FSINI Computes parameters needed by **FSINT**.

FCOST Computes the discrete Fourier cosine transformation of an even sequence.

FCOSI Computes parameters needed by **FCOST**.

REAL QUARTER SINE AND QUARTER COSINE FFTS

QSINF Computes the coefficients of the sine Fourier transform with only odd wave numbers.

QSINB Computes a sequence from its sine Fourier coefficients with only odd wave numbers.

QSINI Computes parameters needed by **QSINF** and **QSINB**.

QCOSF Computes the coefficients of the cosine Fourier transform with only odd wave numbers.

QCOSB Computes a sequence from its cosine Fourier coefficients with only odd wave numbers.

QCOSI Computes parameters needed by **QCOSF** and **QCOSB**.

TWO- AND THREE- DIMENSIONAL COMPLEX FFTS

FFT2D Computes Fourier coefficients of a complex periodic two-dimensional array.

FFT2B Computes the inverse Fourier transform of a complex periodic two dimensional array.

FFT3F Computes Fourier coefficients of a complex periodic three-dimensional array.

FFT3B Computes the inverse Fourier transform of a complex periodic three-dimensional array.

CONVOLUTIONS AND CORRELATIONS

RCONV Computes the convolution of two real vectors.

CCONV Computes the convolution of two complex vectors.

CONVOLUTIONS AND CORRELATIONS (con't)

RCORL Computes the correlation of two real vectors.

CCORL Computes the correlation of two complex vectors.

LAPLACE TRANSFORM

INLAP Computes the inverse Laplace transform of a complex function.

SINLP Computes the inverse Laplace transform of a complex function.

CHAPTER 7: NONLINEAR EQUATIONS**ZEROS OF A POLYNOMIAL**

ZPLRC Finds the zeros of a polynomial with real coefficients using Laguerre's method.

ZPORC Finds the zeros of a polynomial with real coefficients using the Jenkins-Traub three-stage algorithm.

ZPOCC Finds the zeros of a polynomial with complex coefficients using the Jenkins-Traub three-stage algorithm.

ZERO(S) OF A FUNCTION

ZANLY Finds the zeros of a univariate complex function using Müller's method.

ZBREN Finds a zero of a real function that changes sign in a given interval.

ZREAL Finds the real zeros of a real function using Müller's method.

ROOT OF A SYSTEM OF EQUATIONS

NEQNF Solves a system of nonlinear equations using a modified Powell hybrid algorithm and a finite-difference approximation to the Jacobian.

NEQNJ Solves a system of nonlinear equations using a modified Powell hybrid algorithm with a user-supplied Jacobian.

NEQBF Solves a system of nonlinear equations using factored secant update with a finite-difference approximation to the Jacobian.

NEQBJ Solves a system of nonlinear equations using factored secant update with a user-supplied Jacobian.

CHAPTER 8: OPTIMIZATION

UNCONSTRAINED MINIMIZATION

UNIVARIATE FUNCTION

UVMIF	Finds the minimum point of a smooth function of a single variable using only function evaluations.
UVMID	Finds the minimum point of a smooth function of a single variable using both function evaluations and first derivative evaluations.
UVMGS	Finds the minimum point of a nonsmooth function of a single variable.

MULTIVARIATE FUNCTION

UMINF	Minimizes a function of N variables using a quasi-Newton method and a finite-difference gradient.
UMING	Minimizes a function of N variables using a quasi-Newton method and a user-supplied gradient.
UMIDH	Minimizes a function of N variables using a modified Newton method and a finite-difference Hessian.
UMIAH	Minimizes a function of N variables using a modified Newton method and a user-supplied Hessian.
UMCGF	Minimizes a function of N variables using a conjugate gradient algorithm and a finite-difference gradient.
UMCGG	Minimizes a function of N variables using a conjugate gradient algorithm and a user-supplied gradient.
UMPOL	Minimizes a function of N variables using a direct search polytope algorithm.

NONLINEAR LEAST SQUARES

UNLSF	Solves a nonlinear least-squares problem using a modified Levenberg-Marquardt algorithm and a finite-difference Jacobian.
UNLSJ	Solves a nonlinear least squares problem using a modified Levenberg-Marquardt algorithm and a user-supplied Jacobian.

MINIMIZATION WITH SIMPLE BOUNDS

BCONF	Minimizes a function of N variables subject to bounds on the variables using a quasi-Newton method and a finite-difference gradient.
BCONG	Minimizes a function of N variables subject to bounds on the variables using a quasi-Newton method and a user-supplied gradient.
BCODH	Minimizes a function of N variables subject to bounds on the variables using a modified Newton method and a finite-difference Hessian.
BCOAH	Minimizes a function of N variables subject to bounds on the variables using a modified Newton method and a user-supplied Hessian.
BCPOL	Minimizes a function of N variables subject to bounds on the variables using a direct search complex algorithm.
BCLSF	Solves a nonlinear least squares problem subject to bounds on the variables using a modified Levenberg-Marquardt algorithm and a finite-difference Jacobian.
BCLSJ	Solves a nonlinear least squares problem subject to bounds on the variables using a modified Levenberg-Marquardt algorithm and a user-supplied Jacobian.
BCNLS	Solves a nonlinear least-squares problem subject to bounds on the variables and general linear constraints.

LINEARLY CONSTRAINED MINIMIZATION

READ_MPS	Reads an MPS file containing a linear programming problem or a quadratic programming problem.
MPS_FREE	Deallocates the space allocated for the IMSL derived type s_MPS . This routine is usually used in conjunction with READ_MPS .
DENSE_LP	Solves a linear programming problem.
DLPRS	Solves a linear programming problem.
SLPRS	Solves a linear programming problem.
QPROG	Solves a quadratic programming problem subject to linear equality/inequality constraints.
LCONF	Minimizes a general objective function subject to linear equality/inequality constraints.
LCONG	Minimizes a general objective function subject to linear equality/inequality constraints.

NONLINEARLY CONSTRAINED MINIMIZATION

NNLPF	Nonlinearly Constrained Minimization using a sequential equality constrained QP method.
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NONLINEARLY CONSTRAINED MINIMIZATION (con't)

NNLPG

Nonlinearly Constrained Minimization using a sequential equality constrained QP method and a user supplied gradient.

SERVICE ROUTINES

CDGRD

Approximates the gradient using central differences.

FDGRD

Approximates the gradient using forward differences.

FDHES

Approximates the Hessian using forward differences and function values.

GDHES

Approximates the Hessian using forward differences and a user-supplied gradient.

FDJAC

Approximate the Jacobian of **M** functions in **N** unknowns using forward differences.

CHGRD

Checks a user-supplied gradient of a function.

CHHES

Checks a user-supplied Hessian of an analytic function.

CHJAC

Checks a user-supplied Jacobian of a system of equations with **M** functions in **N** unknowns.

GGUES

Generates points in an **N**-dimensional space.

CHAPTER 9: BASIC MATRIX/VECTOR OPERATIONS

BASIC LINEAR ALGEBRA SUBPROGRAMS (BLAS)

SSET

Sets the components of a vector to a scalar.

SCOPY

Copies a vector **x** to a vector **y**, both single precision.

SSCAL

Multiplies a vector by a scalar, $\mathbf{y} \leftarrow \alpha \mathbf{y}$, both single precision.

SVCAL

Multiplies a vector by a scalar and stores the result in another vector, $\mathbf{y} \leftarrow \alpha \mathbf{x}$, all single precision.

SADD

Adds a scalar to each component of a vector, $\mathbf{x} \leftarrow \mathbf{x} + \mathbf{a}$, all single precision.

SSUB

Subtract each component of a vector from a scalar, $\mathbf{x} \leftarrow \mathbf{a} - \mathbf{x}$, all single precision.

SAXPY

Computes the scalar times a vector plus a vector, $\mathbf{y} \leftarrow \alpha \mathbf{x} + \mathbf{y}$, all single precision.

BASIC LINEAR ALGEBRA SUBPROGRAMS (BLAS) (cont)

SSWAP	Interchange vectors x and y , both single precision.
SDOT	Computes the single-precision dot product $x^T y$.
DSDOT	Computes the single-precision dot product $x^T y$ using a double precision accumulator.
SDSDOT	Computes the sum of a single-precision scalar and a single precision dot product, $a + x^T y$, using a double-precision accumulator.
SDDOTI	Computes the sum of a single-precision scalar plus a single precision dot product using a double-precision accumulator, which is set to the result $ACC \leftarrow a + x^T y$.
SHPROD	Computes the Hadamard product of two single-precision vectors.
XYZ	Computes a single-precision xyz product.
SSUM	Sums the values of a single-precision vector.
SASUM	Sums the absolute values of the components of a single-precision vector.
SNRM2	Computes the Euclidean length or L_2 norm of a single-precision vector.
SPRDET	Multiplies the components of a single-precision vector.
ISMIN	Finds the smallest index of the component of a single-precision vector having minimum value.
ISMAX	Finds the smallest index of the component of a single-precision vector having maximum value.
ISAMIN	Finds the smallest index of the component of a single-precision vector having minimum absolute value.
ISAMAX	Finds the smallest index of the component of a single-precision vector having maximum absolute value.
SROTG	Constructs a Givens plane rotation in single precision.
SROT	Applies a Givens plane rotation in single precision.
SROTMG	Constructs a modified Givens plane rotation in single precision.
SROTM	Applies a modified Givens plane rotation in single precision.
SGEMV	Computes one of the matrix-vector operations: $y \leftarrow \alpha Ax + \beta y$, or $y \leftarrow \alpha A^T x + \beta y$.
SGBMV	Computes one of the matrix-vector operations: $y \leftarrow \alpha Ax + \beta y$, or $y \leftarrow \alpha A^T x + \beta y$, where A is a matrix stored in band storage mode.

BASIC LINEAR ALGEBRA SUBPROGRAMS (BLAS) (cont)

CHEMV	Compute the matrix-vector operation $y \leftarrow \alpha Ax + \beta y$ where A is a Hermitian matrix.
CHBMV	Computes the matrix-vector operation $y \leftarrow \alpha Ax + \beta y$ where A is a Hermitian band matrix in band Hermitian storage.
SSYMV	Computes the matrix-vector operation $y \leftarrow \alpha Ax + \beta y$ where A is a symmetric matrix.
SSBMV	Computes the matrix-vector operation $y \leftarrow \alpha Ax + \beta y$ where A is a symmetric matrix in band symmetric storage mode.
STRMV	Computes one of the matrix-vector operations: $x \leftarrow Ax$ or $x \leftarrow A^T x$ where A is a triangular matrix.
STBMV	Computes one of the matrix-vector operations: $x \leftarrow Ax$ or $x \leftarrow A^T x$ where A is a triangular matrix in band storage mode.
STRSV	Solves one of the triangular linear systems: $x \leftarrow A^{-1} x$ or $x \leftarrow (A^{-1})^T x$ where A is a triangular matrix.
STBSV	Solves one of the triangular systems: $x \leftarrow A^{-1} x$ or $x \leftarrow (A^{-1})^T x$ where A is a triangular matrix in band storage mode.
SGER	Computes the rank-one update of a real general matrix: $A \leftarrow A + \alpha xy^T$.
CGERU	Computes the rank-one update of a complex general matrix: $A \leftarrow A + \alpha xy^T$.
CGERC	Computes the rank-one update of a complex general matrix: $A \leftarrow A + \alpha x\bar{y}^T$.
CHER	Computes the rank-one update of a Hermitian matrix: $A \leftarrow A + \alpha x\bar{x}^T$ with x complex and α real.
CHER2	Computes a rank-two update of a Hermitian matrix: $A \leftarrow A + \alpha xy^T + \bar{\alpha} y\bar{x}^T$.
SSYR	Computes the rank-one update of a real symmetric matrix: $A \leftarrow A + \alpha xx^T$.
SSYR2	Computes the rank-two update of a real symmetric matrix: $A \leftarrow A + \alpha xy^T + \alpha yx^T$.
SGEMM	Computes one of the matrix-matrix operations: $C \leftarrow \alpha AB + \beta C$, $C \leftarrow \alpha A^T B + \beta C$, $C \leftarrow \alpha AB^T + \beta C$, or $C \leftarrow \alpha A^T B^T + \beta C$.
SSYMM	Computes one of the matrix-matrix operations: $C \leftarrow \alpha AB + \beta C$ or $C \leftarrow \alpha BA + \beta C$, where A is a symmetric matrix and B and C are m by n matrices.
CHEMM	Computes one of the matrix-matrix operations: $C \leftarrow \alpha AB + \beta C$ or $C \leftarrow \alpha BA + \beta C$, where A is a Hermitian matrix and B and C are m by n matrices.
SSYRK	Computes one of the symmetric rank k operations: $C \leftarrow \alpha AA^T + \beta C$ or $C \leftarrow \alpha A^T A + \beta C$, where C is an n by n symmetric matrix and A is an n by k matrix in the first case and a k by n matrix in the second case.

BASIC LINEAR ALGEBRA SUBPROGRAMS (BLAS) (cont)

CHERKComputes one of the Hermitian rank k operations:

$$C \leftarrow \alpha A \bar{A}^T + \beta C \text{ or } C \leftarrow \alpha \bar{A}^T A + \beta C,$$

where C is an n by n Hermitian matrix and A is an n by k matrix in the first case and a k by n matrix in the second case.

SSYR2KComputes one of the symmetric rank $2k$ operations:

$$C \leftarrow \alpha A B^T + \alpha B A^T + \beta C \text{ or } C \leftarrow \alpha A^T B + \alpha B^T A + \beta C,$$

where C is an n by n symmetric matrix and A and B are n by k matrices in the first case and k by n matrices in the second case.

CHER2KComputes one of the Hermitian rank $2k$ operations:

$$C \leftarrow \alpha A \bar{B}^T + \alpha \bar{B} A^T + \beta C \text{ or } C \leftarrow \alpha \bar{A}^T B + \alpha \bar{B}^T A + \beta C,$$

where C is an n by n Hermitian matrix in the first case and k by n matrices in the second case.

STRMM

Computes one of the matrix-matrix operations:

$$B \leftarrow \alpha A B, B \leftarrow \alpha A^T B \text{ or } B \leftarrow \alpha B A, B \leftarrow \alpha B A^T,$$

where B is an m by n matrix and A is a triangular matrix.

STRSM

Solves one of the matrix equations:

$$B \leftarrow \alpha A^{-1} B, B \leftarrow \alpha B A^{-1} \text{ or } B \leftarrow \alpha (A^{-1})^T B, B \leftarrow \alpha B (A^{-1})^T,$$

where B is an m by n matrix and A is a triangular matrix.

CTRSM

Solves one of the complex matrix equations:

$$B \leftarrow \alpha (\bar{A}^T)^{-1} B \text{ or } B \leftarrow \alpha B (\bar{A}^T)^{-1},$$

where A is a triangular matrix.

OTHER MATRIX/VECTOR OPERATIONS**MATRIX COPY****CRGRG**

Copies a real general matrix.

CCGCG

Copies a complex general matrix.

CRBRB

Copies a real band matrix stored in band storage mode.

CCBCB

Copies a complex band matrix stored in complex band storage mode.

MATRIX CONVERSION**CRGRB**

Converts a real general matrix to a matrix in band storage mode.

CRBRG

Converts a real matrix in band storage mode to a real general matrix.

CCGCB

Converts a complex general matrix to a matrix in complex band storage mode.

MATRIX CONVERSION (con't)

CCBCG	Converts a complex matrix in band storage mode to a complex matrix in full storage mode.
CRGCG	Copies a real general matrix to a complex general matrix.
CRRCR	Copies a real rectangular matrix to a complex rectangular matrix.
CRBCB	Converts a real matrix in band storage mode to a complex matrix in band storage mode.
CSFRG	Extends a real symmetric matrix defined in its upper triangle to its lower triangle.
CHFCG	Extends a complex Hermitian matrix defined in its upper triangle to its lower triangle.
CSBRB	Copies a real symmetric band matrix stored in band symmetric storage mode to a real band matrix stored in band storage mode.
CHBCB	Copies a complex Hermitian band matrix stored in band Hermitian storage mode to a complex band matrix stored in band storage mode.
TRNRR	Transposes a rectangular matrix.

MATRIX MULTIPLICATION

MXTXF	Computes the transpose product of a matrix, $A^T A$.
MXTYF	Multiplies the transpose of matrix A by matrix B , $A^T B$.
MXYTF	Multiplies a matrix A by the transpose of a matrix B , AB^T .
MRRRR	Multiplies two real rectangular matrices, AB .
MCRCR	Multiplies two complex rectangular matrices, AB .
HRRRR	Computes the Hadamard product of two real rectangular matrices.
BLINF	Computes the bilinear form $x^T Ay$.
POLRG	Evaluates a real general matrix polynomial.

MATRIX-VECTOR MULTIPLICATION

MURRV	Multiplies a real rectangular matrix by a vector.
MURBV	Multiplies a real band matrix in band storage mode by a real vector.
MUCRV	Multiplies a complex rectangular matrix by a complex vector.

MATRIX-VECTOR MULTIPLICATION (con't)

MUCBV Multiplies a complex band matrix in band storage mode by a complex vector.

MATRIX ADDITION

ARBRB Adds two band matrices, both in band storage mode.

ACBCB Adds two complex band matrices, both in band storage mode.

MATRIX NORM

NRIRR Computes the infinity norm of a real matrix.

NR1RR Computes the 1-norm of a real matrix.

NR2RR Computes the Frobenius norm of a real rectangular matrix.

NR1RB Computes the 1-norm of a real band matrix in band storage mode.

NR1CB Computes the 1-norm of a complex band matrix in band storage mode.

DISTANCE BETWEEN TWO POINTS

DISL2 Computes the Euclidean (2-norm) distance between two points.

DISL1 Computes the 1-norm distance between two points.

DISLI Computes the infinity norm distance between two points.

VECTOR CONVOLUTIONS

VCONR Computes the convolution of two real vectors.

VCONC Computes the convolution of two complex vectors.

EXTENDED PRECISION ARITHMETIC

DQINI Initializes an extended-precision accumulator with a double-precision scalar.

DQSTO Stores a double-precision approximation to an extended-precision scalar.

DQADD Adds a double-precision scalar to the accumulator in extended precision.

DQMUL Multiplies double-precision scalars in extended precision.

ZQINI Initializes an extended-precision complex accumulator to a double complex scalar.

EXTENDED PRECISION ARITHMETIC (con't)

ZQSTO	Stores a double complex approximation to an extended-precision complex scalar.
ZQADD	Adds a double complex scalar to the accumulator in extended precision.
ZQMUL	Multiplies double complex scalars using extended precision.

CHAPTER 10: LINEAR ALGEBRA OPERATORS AND GENERIC FUNCTIONS

DENSE AND SPARSE MATRIX OPERATORS

OPERATORS: <code>.x.</code> , <code>.tx.</code> , <code>.xt.</code> , <code>.xh.</code>	Computes matrix-vector and matrix-matrix products.
OPERATORS: <code>.t.</code> , <code>.h.</code>	Computes transpose and conjugate transpose of a matrix.
OPERATORS: <code>.i.</code>	Computes the inverse matrix, for square non-singular matrices, or the Moore-Penrose generalized inverse matrix for singular square matrices or rectangular matrices.
OPERATORS: <code>.i.</code> , <code>.xi.</code>	Computes the inverse matrix times a vector or matrix for square non-singular matrices or the corresponding Moore-Penrose generalized inverse matrix for singular square matrices or rectangular matrices.

FUNCTIONS

CHOL	Computes the Cholesky factorization of a positive-definite, symmetric or self-adjoint matrix, A .
COND	Computes the condition number of a matrix, A .
DET	Computes the determinant of a rectangular matrix, A .
DIAG	Constructs a square diagonal matrix from a rank-1 array or several diagonal matrices from a rank-2 array.
DIAGONALS	Extracts a rank-1 array whose values are the diagonal terms of a rank-2 array argument.
EIG	Computes the eigenvalue-eigenvector decomposition of an ordinary or generalized eigenvalue problem.
EYE	Creates a rank-2 square array whose diagonals are all the value one.
FFT	The Discrete Fourier Transform of a complex sequence and its inverse transform.
FFT_BOX	The Discrete Fourier Transform of several complex or real sequences.

FUNCTIONS (cont)

IFFT	The inverse of the Discrete Fourier Transform of a complex sequence.
IFFT_BOX	The inverse Discrete Fourier Transform of several complex or real sequences.
ISNAN	This is a generic logical function used to test scalars or arrays for occurrence of an IEEE 754 Standard format of floating point (ANSI/IEEE 1985) NaN, or not-a-number.
NAN	Returns, as a scalar function, a value corresponding to the IEEE 754 Standard format of floating point (ANSI/IEEE 1985) for NaN.
NORM	Computes the norm of a rank-1 or rank-2 array.
ORTH	Orthogonalizes the columns of a rank-2 or rank-3 array.
RAND	Computes a scalar, rank-1, rank-2 or rank-3 array of random numbers.
RANK	Computes the mathematical rank of a rank-2 or rank-3 array.
SVD	Computes the singular value decomposition of a rank-2 or rank-3 array, $A = USV^T$.
UNIT	Normalizes the columns of a rank-2 or rank-3 array so each has Euclidean length of value one.

CHAPTER 11: UTILITIES

SCALAPACK UTILITIES

SCALAPACK_SETUP	This routine sets up a processor grid and calculates default values for various entities to be used in mapping a global array to the processor grid.
SCALAPACK_GETDIM	This routine calculates the row and column dimensions of a local distributed array based on the size of the array to be distributed and the row and column blocking factors to be used.
SCALAPACK_READ	Reads matrix data from a file and transmits it into the two-dimensional block-cyclic form.
SCALAPACK_WRITE	Writes the matrix data to a file.
SCALAPACK_MAP	This routine maps array data from a global array to local arrays in the two-dimensional block-cyclic form required by ScaLAPACK routines.
SCALAPACK_UNMAP	This routine unmaps array data from local distributed arrays to a global array. The data in the local arrays must have been stored in the two-dimensional block-cyclic form required by ScaLAPACK routines.

SCALAPACK UTILITIES (con't)

SCALAPACK_EXIT

This routine exits **ScaLAPACK** mode for the IMSL Library routines. All processors in the **BLACS** context call the routine.

PRINT

ERROR_POST

Prints error messages.

SHOW

Prints rank-1 or rank-2 arrays of numbers in a readable format.

WRRRN

Prints a real rectangular matrix with integer row and column labels.

WRRRL

Prints a real rectangular matrix with a given format and labels.

WRIRN

Prints an integer rectangular matrix with integer row and column labels

WRIRL

Prints an integer rectangular matrix with a given format and labels.

WRCRN

Prints a complex rectangular matrix with integer row and column labels.

WRCRL

Prints a complex rectangular matrix with a given format and labels.

WROPT

Sets or Retrieves an option for printing a matrix.

PGOPT

Sets or Retrieves page width and length for printing.

PERMUTE

PERMU

Rearranges the elements of an array as specified by a permutation.

PERMA

Permutates the rows or columns of a matrix.

SORT

SORT_REAL

Sorts a rank-1 array of real numbers x so the y results are algebraically nondecreasing, $y_1 \leq y_2 \leq \dots y_n$.

SVRGN

Sorts a real array by algebraically increasing value.

SVRGP

Sorts a real array by algebraically increasing value and returns the permutation that rearranges the array.

SVIGN

Sorts an integer array by algebraically increasing value.

SVIGP

Sorts an integer array by algebraically increasing value and returns the permutation that rearranges the array.

SVRBN

Sorts a real array by nondecreasing absolute value.

*SORT (can't)***SVRBP**

Sorts a real array by nondecreasing absolute value and returns the permutation that rearranges the array.

SVIBN

Sorts an integer array by nondecreasing absolute value.

SVIBP

Sorts an integer array by nondecreasing absolute value and returns the permutation that rearranges the array.

SEARCH**SRCH**

Searches a sorted vector for a given scalar and returns its index.

ISRCH

Searches a sorted integer vector for a given integer and returns its index.

SSRCH

Searches a character vector, sorted in ascending ASCII order, for a given string and returns its index.

CHARACTER STRING MANIPULATION**ACHAR**

Returns a character given its ASCII value.

IACHAR

Returns the integer ASCII value of a character argument.

ICASE

Returns the ASCII value of a character converted to uppercase.

IICSR

Compares two character strings using the ASCII collating sequence but without regard to case.

IIDEX

Determines the position in a string at which a given character sequence begins without regard to case.

CVTSI

Converts a character string containing an integer number into the corresponding integer form.

TIME, DATE AND VERSION**CPSEC**

Returns CPU time used in seconds.

TIMDY

Gets time of day.

TDATE

Gets today's date.

NDAYS

Computes the number of days from January 1, 1900, to the given date.

NDYIN

Gives the date corresponding to the number of days since January 1, 1900

IDYWK

Computes the day of the week for a given date.

TIME, DATE AND VERSION (con't)

VERML Obtains IMSL MATH/LIBRARY-related version, system and serial numbers.

RANDOM NUMBER GENERATION

RAND_GEN Generates a rank-1 array of random numbers.

RNGET Retrieves the current value of the seed used in the IMSL random number generators.

RNSET Initializes a random seed for use in the IMSL random number generators.

RNOPT Selects the uniform (0, 1) multiplicative congruential pseudorandom number generator.

RNIN32 Initializes the 32-bit Mersenne Twister generator using an array.

RNGE32 Retrieves the current table used in the 32-bit Mersenne Twister generator.

RNSE32 Sets the current table used in the 32-bit Mersenne Twister generator.

RNIN64 Initializes the 64-bit Mersenne Twister generator using an array.

RNGE64 Retrieves the current table used in the 64-bit Mersenne Twister generator.

RNSE64 Sets the current table used in the 64-bit Mersenne Twister generator.

RNUNF Generates a pseudorandom number from a uniform (0, 1) distribution.

RNUN Generates pseudorandom numbers from a uniform (0, 1) distribution.

LOW DISCREPANCY SEQUENCES

FAURE_INIT Generates pseudorandom numbers from a uniform (0, 1) distribution.

FAURE_FREE Frees the structure containing information about the Faure sequence.

FAURE_NEXT Computes a shuffled Faure sequence.

OPTIONS MANAGER

IUMAG This routine handles MATH/LIBRARY and STAT/LIBRARY type **INTEGER** options.

UMAG Gets and puts type **REAL** options.

SUMAG This routine handles MATH/LIBRARY and STAT/LIBRARY type **SINGLE PRECISION** options.

DUMAG This routine handles MATH/LIBRARY and STAT/LIBRARY type **DOUBLE PRECISION** options.

LINE PRINTER GRAPHICS

PLOT

Prints a plot of up to 10 sets of points.

MISCELLANEOUS

PRIME

Decomposes an integer into its prime factors.

CONST

Returns the value of various mathematical and physical constants.

CUNIT

Converts **X** in units **XUNITS** to **Y** in units **YUNITS**.

HYPOT

Computes $\sqrt{a^2 + b^2}$ without underflow or overflow.

MPI_SETUP

Initializes or finalizes **MPI**.

CHAPTER 1: ELEMENTARY FUNCTIONS

CARG	Evaluates the argument of a complex number.
CBRT	Evaluates the cube root.
EXPRL	Evaluates the exponential function factored from first order, $(\text{EXP}(X) - 1.0)/X$.
LOG10	Extends FORTRAN's generic log10 function to evaluate the principal value of the complex common logarithm.
ALNREL	Evaluates the natural logarithm of one plus the argument.

CHAPTER 2: TRIGONOMETRIC AND HYPERBOLIC FUNCTIONS

TRIGONOMETRIC FUNCTIONS

TAN	Extends FORTRAN's generic tan to evaluate the complex tangent.
COT	Evaluates the cotangent.
SINDG	Evaluates the sine for the argument in degrees.
COSDG	Evaluates the cosine for the argument in degrees.
ASIN	Extends FORTRAN's generic ASIN function to evaluate the complex arc sine.
ACOS	Extends FORTRAN's generic ACOS function evaluate the complex arc cosine.
ATAN	Extends FORTRAN's generic function ATAN to evaluate the complex arc tangent.
ATAN2	This function extends FORTRAN's generic function ATAN2 to evaluate the complex arc tangent of a ratio.

HYPERBOLIC FUNCTIONS

SINH	Extends FORTRAN's generic function SINH to evaluate the complex hyperbolic sine.
COSH	Extends FORTRAN's generic function COSH to evaluate the complex hyperbolic cosine.
TANH	Extends FORTRAN's generic function TANH to evaluate the complex hyperbolic tangent.

INVERSE HYPERBOLIC FUNCTIONS

ASINH	Evaluates the arc hyperbolic sine.
ACOSH	Evaluates the arc hyperbolic cosine.
ATANH	Evaluates the arc hyperbolic tangent.

CHAPTER 3: EXPONENTIAL INTEGRALS AND RELATED FUNCTIONS

EI	Evaluates the exponential integral for arguments greater than zero and the Cauchy principal value for arguments less than zero.
E1	Evaluates the exponential integral for arguments greater than zero and the Cauchy principal value of the integral for arguments less than zero.
ENE	Evaluates the exponential integral of integer order for arguments greater than zero scaled by EXP(X) .
ALI	Evaluates the logarithmic integral.
SI	Evaluates the sine integral.
CI	Evaluates the cosine integral.
CIN	Evaluates a function closely related to the cosine integral.
SHI	Evaluates the hyperbolic sine integral..
CHI	Evaluates the hyperbolic cosine integral.
CINH	Evaluates a function closely related to the hyperbolic cosine integral.

CHAPTER 4: GAMMA FUNCTION AND RELATED FUNCTIONS

FACTORIAL FUNCTION

FAC Evaluates the factorial of the argument.

BINOM Evaluates the binomial coefficient.

GAMMA FUNCTION

GAMMA Evaluates the complete gamma function.

GAMR Evaluates the reciprocal gamma function.

ALNGAM Evaluates the logarithm of the absolute value of the gamma function.

ALGAMS Returns the logarithm of the absolute value of the gamma function and the sign of gamma.

INCOMPLETE GAMMA FUNCTION

GAMI Evaluates the incomplete gamma function.

GAMIC Evaluates the complementary incomplete gamma function.

GAMIT Evaluates the Tricomi form of the incomplete gamma function.

PSI FUNCTION

PSI Evaluates the logarithmic derivative of the gamma function.

POCHHAMMER'S FUNCTION

POCH Evaluates a generalization of Pochhammer's symbol.

POCH1 Evaluates a generalization of Pochhammer's symbol starting from the first order.

BETA FUNCTION

BETA Evaluates the complete beta function.

ALBETA Evaluates the natural logarithm of the complete beta function for positive arguments.

BETA1 Evaluates the incomplete beta function ratio.

CHAPTER 5: ERROR FUNCTION AND RELATED FUNCTIONS

ERROR FUNCTIONS

ERF	Evaluates the error function.
ERFC	Evaluates the complementary error function.
ERFCE	Evaluates the exponentially scaled complementary error function.
CERFE	Evaluates the complex scaled complemented error function.
ERFI	Evaluates the inverse error function.
ERFCI	Evaluates the inverse complementary error function.
DAWS	Evaluates Dawson's function.

FRESNEL INTEGRALS

FRESC	Evaluates the cosine Fresnel integral.
FRESS	Evaluates the sine Fresnel integral.

CHAPTER 6: BESSEL FUNCTIONS

BESSEL FUNCTIONS OF ORDERS 0 AND 1

BSJ0	Evaluates the Bessel function of the first kind of order zero.
BSJ1	Evaluates the Bessel function of the first kind of order one.
BSY0	Evaluates the Bessel function of the second kind of order zero.
BSY1	Evaluates the Bessel function of the second kind of order one.
BSI0	Evaluates the modified Bessel function of the first kind of order zero.
BSI1	Evaluates the modified Bessel function of the first kind of order one.

BESSEL FUNCTIONS OF ORDERS 0 AND 1 (cont)

BSK0	Evaluates the modified Bessel function of the second kind of order zero.
BSK1	Evaluates the modified Bessel function of the second kind of order one.
BSIOE	Evaluates the exponentially scaled modified Bessel function of the first kind of order zero.
BSI1E	Evaluates the exponentially scaled modified Bessel function of the first kind of order one.
BSK0E	Evaluates the exponentially scaled modified Bessel function of the second kind of order zero.
BSK1E	Evaluates the exponentially scaled modified Bessel function of the second kind of order one.

SERIES OF BESSEL FUNCTIONS, INTEGER ORDER

BSJNS	Evaluates a sequence of Bessel functions of the first kind with integer order and real arguments.
BSINS	Evaluates a sequence of modified Bessel functions of the first kind with integer order and real arguments.

SERIES OF BESSEL FUNCTIONS, REAL ORDER AND ARGUMENT

BSJS	Evaluates a sequence of Bessel functions of the first kind with real order and real positive arguments.
BSYS	Evaluates a sequence of Bessel functions of the second kind with real nonnegative order and real positive arguments.
BSIS	Evaluates a sequence of modified Bessel functions of the first kind with real order and real positive arguments.
BSIES	Evaluates a sequence of exponentially scaled modified Bessel functions of the first kind with nonnegative real order and real positive arguments.
BSKS	Evaluates a sequence of modified Bessel functions of the second kind of fractional order.
BSKES	Evaluates a sequence of exponentially scaled modified Bessel functions of the second kind of fractional order.

SERIES OF BESSEL FUNCTIONS, REAL ORDER AND COMPLEX ARGUMENT

CBJS	Evaluates a sequence of Bessel functions of the first kind with real order and complex arguments.
CBYS	Evaluates a sequence of Bessel functions of the second kind with real order and complex arguments.
CBIS	Evaluates a sequence of modified Bessel functions of the first kind with real order and complex arguments.

SERIES OF BESSEL FUNCTIONS, REAL ORDER AND
COMPLEX ARGUMENT (con't)

CBKS

Evaluates a sequence of modified Bessel functions of the second kind with real order and complex arguments.

CHAPTER 7: KELVIN FUNCTIONS

BER0

Evaluates the Kelvin function of the first kind, ber, of order zero.

BEI0

Evaluates the Kelvin function of the first kind, bei, of order zero.

AKERO

Evaluates the Kelvin function of the second kind, ker, of order zero.

AKEI0

Evaluates the Kelvin function of the second kind, kei, of order zero.

BERP0

Evaluates the derivative of the Kelvin function of the first kind, ber, of order zero.

BEIP0

Evaluates the derivative of the Kelvin function of the first kind, bei, of order zero.

AKERP0

Evaluates the derivative of the Kelvin function of the second kind, ker, of order zero.

AKEIP0

Evaluates the derivative of the Kelvin function of the second kind, kei, of order zero.

BER1

Evaluates the Kelvin function of the first kind, ber, of order one.

BEI1

Evaluates the Kelvin function of the first kind, bei, of order one.

AKER1

Evaluates the Kelvin function of the second kind, ker, of order one.

AKEI1

Evaluates the Kelvin function of the second kind, kei, of order one.

CHAPTER 8: AIRY FUNCTIONS

REAL AIRY FUNCTIONS

AI

Evaluates the Airy function.

BI

Evaluates the Airy function of the second kind.

AIRY FUNCTIONS (con't)

AID	Evaluates the derivative of the Airy function.
BID	Evaluates the derivative of the Airy function of the second kind.
AIE	Evaluates the exponentially scaled Airy function.
BIE	Evaluates the exponentially scaled Airy function of the second kind.
AIDE	Evaluates the exponentially scaled derivative of the Airy function.
BIDE	Evaluates the exponentially scaled derivative of the Airy function of the second kind.
COMPLEX AIRY FUNCTIONS	
CAI	Evaluates the Airy function of the first kind for complex arguments.
CBI	Evaluates the Airy function of the second kind for complex arguments.
CAID	Evaluates the derivative of the Airy function of the first kind for complex arguments.
CBID	Evaluates the derivative of the Airy function of the second kind for complex arguments.

CHAPTER 9: ELLIPTIC INTEGRALS

ELK	Evaluates the complete elliptic integral of the kind $K(x)$.
ELE	Evaluates the complete elliptic integral of the second kind $E(x)$.
ELRF	Evaluates Carlson's incomplete elliptic integral of the first kind $R_F(x, y, z)$.
ELRD	Evaluates Carlson's incomplete elliptic integral of the second kind $R_D(x, y, z)$.
ELRJ	Evaluates Carlson's incomplete elliptic integral of the third kind $R_J(x, y, z, rho)$.
ELRC	Evaluates an elementary integral from which inverse circular functions, logarithms and inverse hyperbolic functions can be computed.

CHAPTER 10: ELLIPTIC AND RELATED FUNCTIONS

WEIERSTRASS ELLIPTIC AND RELATED FUNCTIONS

CWPL	Evaluates the Weierstrass \wp function in the lemniscatic case for complex argument with unit period parallelogram.
CWPLD	Evaluates the first derivative of the Weierstrass \wp function in the lemniscatic case for complex argument with unit period parallelogram.
CWPQ	Evaluates the Weierstrass \wp function in the equianharmonic case for complex argument with unit period parallelogram.
CWPQD	Evaluates the first derivative of the Weierstrass \wp function in the equianharmonic case for complex argument with unit period parallelogram.

JACOBI ELLIPTIC FUNCTIONS

EJSN	Evaluates the Jacobi elliptic function $sn(x, m)$.
EJCN	Evaluates the Jacobi elliptic function $cn(x, m)$.
EJDN	Evaluates the Jacobi elliptic function $dn(x, m)$.

CHAPTER 11: PROBABILITY DISTRIBUTION FUNCTIONS AND INVERSES

DISCRETE RANDOM VARIABLES: CUMULATIVE DISTRIBUTION FUNCTIONS AND PROBABILITY DENSITY FUNCTIONS

BINDF	Evaluates the binomial cumulative distribution function.
BINPR	Evaluates the binomial probability density function.
GEODF	Evaluates the discrete geometric cumulative distribution function.
GEOIN	Evaluates the inverse of the geometric cumulative distribution function.
GEOPR	Evaluates the discrete geometric probability density function.
HYPDF	Evaluates the hypergeometric cumulative distribution function.
HYPPR	Evaluates the hypergeometric probability density function.

DISCRETE RANDOM VARIABLES: CUMULATIVE DISTRIBUTION FUNCTIONS AND PROBABILITY DENSITY FUNCTIONS (con't)

POIDF	Evaluates the Poisson cumulative distribution function.
POIPR	Evaluates the Poisson probability density function.
UNDDF	Evaluates the discrete uniform cumulative distribution function.
UNDIN	Evaluates the inverse of the discrete uniform cumulative distribution function.
UNDPD	Evaluates the discrete uniform probability density function.

CONTINUOUS RANDOM VARIABLES: DISTRIBUTION FUNCTIONS AND THEIR INVERSES

AKS1DF	Evaluates the cumulative distribution function of the one-sided Kolmogorov-Smirnov goodness of fit D^+ or D^- test statistic based on continuous data for one sample.
AKS2DF	Evaluates the cumulative distribution function of the Kolmogorov-Smirnov goodness of fit D test statistic based on continuous data for two samples.
ALNDF	Evaluates the lognormal cumulative distribution function.
ALNIN	Evaluates the inverse of the lognormal cumulative distribution function.
ALNPR	Evaluates the lognormal probability density function.
ANORDF	Evaluates the standard normal (Gaussian) cumulative distribution function.
ANORIN	Evaluates the inverse of the standard normal (Gaussian) cumulative distribution function.
ANORPR	Evaluates the normal probability density function.
BETDF	Evaluates the beta cumulative distribution function.
BETIN	Evaluates the inverse of the beta cumulative distribution function.
BETPR	Evaluates the beta probability density function.
BNRDF	Evaluates the bivariate normal cumulative distribution function.
CHIDF	Evaluates the chi-squared cumulative distribution function.
CHIIN	Evaluates the inverse of the chi-squared cumulative distribution function.
CHIPR	Evaluates the chi-squared probability density function.
CSNDF	Evaluates the noncentral chi-squared cumulative distribution function.

DISCRETE RANDOM VARIABLES: CUMULATIVE DISTRIBUTION FUNCTIONS AND PROBABILITY DENSITY FUNCTIONS (con't)

CSNIN	Evaluates the inverse of the noncentral chi-squared cumulative distribution function.
EXPDF	Evaluates the exponential cumulative distribution function.
EXPIN	Evaluates the inverse of the exponential cumulative distribution function.
EXPPR	Evaluates the exponential probability density function.
EXVDF	Evaluates the extreme value cumulative distribution function.
EXVIN	Evaluates the inverse of the extreme value cumulative distribution function.
EXVPR	Evaluates the extreme value probability density function.
FDF	Evaluates the F cumulative distribution function.
FIN	Evaluates the inverse of the F cumulative distribution function.
FPR	Evaluates the F probability density function.
GAMDF	Evaluates the gamma cumulative distribution function.
GAMIN	Evaluates the inverse of the gamma cumulative distribution function.
GAMPR	Evaluates the gamma probability density function.
RALDF	Evaluates the Rayleigh cumulative distribution function.
RALIN	Evaluates the inverse of the Rayleigh cumulative distribution function.
RALPR	Evaluates the Rayleigh probability density function.
TDF	Evaluates the Student's t cumulative distribution function.
TIN	Evaluates the inverse of the Student's t cumulative distribution function.
TPR	Evaluates the Student's t probability density function.
TNDF	Evaluates the noncentral Student's t cumulative distribution function.
TNIN	Evaluates the inverse of the noncentral Student's t cumulative distribution function.
UNDF	Evaluates the uniform cumulative distribution function.
UNIN	Evaluates the inverse of the uniform cumulative distribution function.

DISCRETE RANDOM VARIABLES: CUMULATIVE DISTRIBUTION FUNCTIONS AND PROBABILITY DENSITY FUNCTIONS (con't)

UNPR	Evaluates the uniform probability density function.
WBLDF	Evaluates the Weibull cumulative distribution function.
WBLIN	Evaluates the inverse of the Weibull cumulative distribution function.
WBLPR	Evaluates the Weibull probability density function.

GENERAL CONTINUOUS RANDOM VARIABLES

GCDF	Evaluates a general continuous cumulative distribution function given ordinates of the density.
GCIN	Evaluates the inverse of a general continuous cumulative distribution function given ordinates of the density.
GFNIN	Evaluates the inverse of a general continuous cumulative distribution function given in a subprogram.

CHAPTER 12: MATHIEU FUNCTIONS

MATEE	Evaluates the eigenvalues for the periodic Mathieu functions
MATCE	Evaluates a sequence of even, periodic, integer order, real Mathieu functions.
MATSE	Evaluates a sequence of odd, periodic, integer order, real Mathieu functions.

CHAPTER 13: MISCELLANEOUS FUNCTIONS

SPENC	Evaluates a form of Spence's integral.
INITS	Initializes the orthogonal series so the function value is the number of terms needed to insure the error is no larger than the requested accuracy.
CSEVL	Evaluates the N -term Chebyshev series.

LIBRARY ENVIRONMENTS UTILITIES

The following routines are documented in the Reference Material sections of the IMSL™ MATH/LIBRARY and IMSL™ STAT/LIBRARY User's Manual.

ERSET	Sets error handler default print and stop actions.
IERCD	Retrieves the code for an informational error.
NIRTY	Retrieves an error type for the most recently called IMSL routine.
IMACH	Retrieves interger machine constants.
AMACH	Retrieves machine constants.
DMACH	See AMACH .
IFNAN(X)	Checks if a floating-point number is NaN (not a number).
UMACH	Sets or Retrieves input or output device unit numbers.

CHAPTER 1: BASIC STATISTICS

FREQUENCY TABULATIONS

OWFRQ	Tallies observations into a one-way frequency table.
TWFRQ	Tallies observations into a two-way frequency table.
FREQ	Tallies multivariate observations into a multiway frequency table.

UNIVARIATE SUMMARY STATISTICS

UVSTA	Computes basic univariate statistics
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RANKS AND ORDER STATISTICS

RANKS	Computes the ranks, normal scores, or exponential scores for a vector of observations.
LETTR	Produces a letter value summary.
ORDST	Determines order statistics.
EQTIL	Computes empirical quantiles.

PARAMETRIC ESTIMATES AND TESTS

TWOMV	Computes statistics for mean and variance inferences using samples from two normal populations.
BINES	Estimates the parameter p of the binomial distribution.
POIES	Estimates the parameter of the Poisson distribution.
NRCES	Computes maximum likelihood estimates of the mean and variance from grouped and/or censored normal data.

GROUPED DATA

GRPES	Computes basic statistics from grouped data.
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CONTINUOUS DATA IN A TABLE

CSTAT	Computes cell frequencies, cell means, and cell sums of squares for multivariate data.
MEDPL	Computes a median polish of a two-way table.

CHAPTER 2: REGRESSION

SIMPLE LINEAR REGRESSION

RLINE	Fits a line to a set of data points using least squares.
RONE	Analyzes a simple linear regression model.
RINCF	Performs response control given a fitted simple linear regression model.
RINPF	Performs inverse prediction given a fitted simple linear regression model.

MULTIVARIATE GENERAL LINEAR MODEL ANALYSIS

MODEL FITTING

RLSE	Fits a multiple linear regression model using least squares.
RCOV	Fits a multivariate linear regression model given the variance-covariance matrix.
RGIVN	Fits a multivariate linear regression model via fast Givens transformations.
RGLM	Fits a multivariate general linear model.
RLEQU	Fits a multivariate linear regression model with linear equality restrictions $H B = G$ imposed on the regression parameters given results from routine RGIVN after IDO = 1 and IDO = 2 and prior to IDO = 3.

STATISTICAL INFERENCE AND DIAGNOSTICS

RSTAT	Computes statistics related to a regression fit given the coefficient estimates.
RCOVB	Computes the estimated variance-covariance matrix of the estimated regression coefficients given the R matrix.
CESTI	Constructs an equivalent completely testable multivariate general linear hypothesis $H B U = G$ from a partially testable hypothesis $H_p B U = G_p$.

STATISTICAL INFERENCE AND DIAGNOSTICS (con't)

RHPSS	Computes the matrix of sums of squares and crossproducts for the multivariate general linear hypothesis $H BU = G$ given the coefficient estimates.
RHPTE	Performs tests for a multivariate general linear hypothesis $H BU = G$ given the hypothesis sums of squares and crossproducts matrix S_H and the error sums of squares and crossproducts matrix S_E .
RLOFE	Computes a lack of fit test based on exact replicates for a fitted regression model.
RLOFN	Computes a lack of fit test based on near replicates for a fitted regression model.
RCASE	Computes case statistics and diagnostics given data points, coefficient estimates.
ROTIN	Computes diagnostics for detection of outliers and influential data points given residuals and the R matrix for a fitted general linear model.

UTILITIES FOR CLASSIFICATION VARIABLES

GCLAS	Gets the unique values of each classification variable.
GRGLM	Generates regressors for a general linear model.

VARIABLES SELECTION

RBEST	Selects the best multiple linear regression models.
RSTEP	Builds multiple linear regression models using forward selection, backward selection, or stepwise selection.
GSWEP	Performs a generalized sweep of a row of a nonnegative definite matrix.
RSUBM	Retrieves a symmetric submatrix from a symmetric matrix.

POLYNOMIAL REGRESSION AND SECOND-ORDER MODELS

POLYNOMIAL REGRESSION ANALYSIS

RCURV	Fits a polynomial curve using least squares.
RPOLY	Analyzes a polynomial regression model.

SECOND-ORDER MODEL DESIGN

RCOMP	Generates an orthogonal central composite design.
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UTILITY ROUTINES FOR POLYNOMIAL MODELS AND SECOND-ORDER MODELS

RFORP	Fits an orthogonal polynomial regression model.
RSTAP	Computes summary statistics for a polynomial regression model given the fit based on orthogonal polynomials.
RCASP	Computes case statistics for a polynomial regression model given the fit based on orthogonal polynomials.
OPOLY	Generates orthogonal polynomials with respect to x-values and specified weights.
GCSCP	Generates centered variables, squares, and crossproducts.
TCSCP	Transforms coefficients from a second order response surface model generated from squares and crossproducts of centered variables to a model using uncentered variables.

NONLINEAR REGRESSION ANALYSIS

RNLIN	Fits a nonlinear regression model.
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FITTING LINEAR MODELS BASED ON CRITERIA OTHER THAN LEAST SQUARES

RLAV	Fits a multiple linear regression model using the least absolute values criterion.
RLLP	Fits a multiple linear regression model using the L_p norm criterion.
RLMV	Fits a multiple linear regression model using the minimax criterion.

CHAPTER 3: CORRELATION

THE CORRELATION MATRIX

CORVC	Computes the variance-covariance or correlation matrix.
COVPL	Computes a pooled variance-covariance matrix from the observations.
PCORR	Computes partial correlations or covariances from the covariance or correlation matrix.
RBCOV	Computes a robust estimate of a covariance matrix and mean vector.

CORRELATION MEASURES FOR A CONTINGENCY TABLE

CTRHO Estimates the bivariate normal correlation coefficient using a contingency table.

TETCC Categorizes bivariate data and computes the tetrachoric correlation coefficient.

A DICHOTOMOUS VARIABLE WITH A CLASSIFICATION VARIABLE

BSPBS Computes the biserial and point-biserial correlation coefficients for a dichotomous variable and a numerically measurable classification variable.

BSCAT Computes the biserial correlation coefficient for a dichotomous variable and a classification variable.

MEASURES BASED UPON RANKS

CNCRD Calculates and tests the significance of the Kendall coefficient of concordance.

KENDL Computes and tests Kendall's rank correlation coefficient.

KENDP Computes the frequency distribution of the total score in Kendall's rank correlation coefficient.

CHAPTER 4: ANALYSIS OF VARIANCE**GENERAL ANALYSIS**

AONEW Analyzes a one-way classification model.

AONEC Analyzes a one-way classification model with covariates.

ATWOB Analyzes a randomized block design or a two-way balanced design.

ABIBD Analyzes a balanced incomplete block design or a balanced lattice design.

ALATN Analyzes a Latin square design.

ANWAY Analyzes a balanced n -way classification model with fixed effects.

ABALD Analyzes a balanced complete experimental design for a fixed, random, or mixed model.

ANEST Analyzes a completely nested random model with possibly unequal numbers in the subgroups.

INFERENCE ON MEANS AND VARIANCE COMPONENTS

CTRST	Computes contrast estimates and sums of squares.
SCIPM	Computes simultaneous confidence intervals on all pairwise differences of means.
SNKMC	Performs Student-Newman-Keuls multiple comparison test.
CIDMS	Computes a confidence interval on a variance component estimated as proportional to the difference in two mean squares in a balanced complete experimental design.

SERVICE ROUTINE

ROREX	Reorders the responses from a balanced complete experimental design.
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CHAPTER 5: CATEGORICAL AND DISCRETE DATA ANALYSIS**STATISTICS IN THE TWO-WAY CONTINGENCY TABLE**

CTTWO	Performs a chi-squared analysis of a 2 by 2 contingency table.
CTCHI	Performs a chi-squared analysis of a two-way contingency table.
CTPRB	Computes exact probabilities in a two-way contingency table.
CTEPR	Computes Fisher's exact test probability and a hybrid approximation to the Fisher exact test probability for a contingency table using the network algorithm.

LOG-LINEAR MODELS

PRPFT	Performs iterative proportional fitting of a contingency table using a log-linear model.
CTLLN	Computes model estimates and associated statistics for a hierarchical log-linear model.
CTPAR	Computes model estimates and covariances in a fitted log-linear model.
CTASC	Computes partial association statistics for log-linear models in a multidimensional contingency table.
CTSTP	Builds hierarchical log-linear models using forward selection, backward selection, or stepwise selection.

RANDOMIZATION TESTS

CTRAN	Performs generalized Mantel-Haenszel tests in a stratified contingency table.
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GENERALIZED CATEGORICAL MODELS**CTGLM**

Analyzes categorical data using logistic, Probit, Poisson, and other generalized linear models.

WEIGHTED LEAST-SQUARES ANALYSIS**CTWLS**

Performs a generalized linear least-squares analysis of transformed probabilities in a two-dimensional contingency table.

CHAPTER 6: NONPARAMETRIC STATISTICS**ONE SAMPLE OR MATCHED SAMPLES****TESTS OF LOCATION****SIGNT**

Performs a sign test of the hypothesis that a given value is in a specified quantile of a distribution.

SNRNK

Performs a Wilcoxon signed rank test.

TESTS FOR TREND**NCTRD**

Performs the Noether test for cyclical trend.

SDPLC

Performs the Cox and Stuart sign test for trends in dispersion and location

TIES**NTIES**

Computes tie statistics for a sample of observations.

TWO INDEPENDENT SAMPLES**RNKSM**

Performs the Wilcoxon rank sum test.

INCLD

Performs an inludance test.

MORE THAN TWO SAMPLES**ONE WAY TESTS OF LOCATION****KRSKL**

Performs a Kruskal-Wallis test for identical population medians.

BHAKV

Performs a Bhapkar V test.

TWO-WAY TESTS OF LOCATION

FRDMN Performs Friedman's test for a randomized complete block design.

QTEST Performs a Cochran Q test for related observations.

TESTS FOR TRENDS

KTRND Performs k -sample trends test against ordered alternatives.

CHAPTER 7: TESTS OF GOODNESS-OF-FIT AND RANDOMNESS

GENERAL GOODNESS OF FIT TESTS FOR A SPECIFIC DISTRIBUTION

KSONE Performs a Kolmogorov-Smirnov one-sample test for continuous distributions.

CHIGF Performs a chi-squared goodness-of-fit test.

SPWLK Performs a Shapiro-Wilk W -test for normality.

LILLF Performs Lilliefors test for an exponential or normal distribution.

MVMMT Computes Mardia's multivariate measures of skewness and kurtosis and tests for multivariate normality.

TWO SAMPLE TESTS

KSTWO Performs a Kolmogorov-Smirnov two-sample test.

TESTS FOR RANDOMNESS

RUNS Performs a runs up test.

PAIRS Performs a pairs test.

DSQAR Performs a d^2 test.

DCUBE Performs a triplets test.

CHAPTER 8: TIME SERIES ANALYSIS AND FORECASTING

GENERAL METHODOLOGY

TIME SERIES TRANSFORMATION

BCTR	Performs a forward or an inverse Box-Cox (power) transformation.
DIFF	Differences a time series.
ESTIMATE_MISSING	Estimates missing values in a time series.
SEASONAL_FIT	Determines an optimal differencing for seasonal adjustments of a time series.

SAMPLE CORRELATION FUNCTION

ACF	Computes the sample autocorrelation function of a stationary time series.
PACF	Computes the sample partial autocorrelation function of a stationary time series.
CCF	Computes the sample cross-correlation function of two stationary time series.
MCCF	Computes the multichannel cross-correlation function of two mutually stationary multichannel time series.

TIME DOMAIN METHODOLOGY

NONSEASONAL AUTOREGRESSIVE MOVING AVERAGE MODEL

ARMME	Computes method of moments estimates of the autoregressive parameters of an ARMA model.
MAMME	Computes method of moments estimates of the moving average parameters of an ARMA model.
NSPE	Computes preliminary estimates of the autoregressive and moving average parameters of an ARMA model.
NSLSE	Computes least-squares estimates of parameters for a nonseasonal ARMA model.
MAX_ARMA	Exact maximum likelihood estimation of the parameters in a univariate ARMA (autoregressive, moving average) time series model.
GARCH	Computes estimates of the parameters of a GARCH(p,q) model.

NONSEASONAL AUTOREGRESSIVE MOVING AVERAGE MODEL (cont)

SPWF Computes the Wiener forecast operator for a stationary stochastic process.

NSBJF Computes Box-Jenkins forecasts and their associated probability limits for a nonseasonal ARMA model.

TRANSFER FUNCTION MODEL

IRNSE Computes estimates of the impulse response weights and noise series of a univariate transfer function model.

TFPE Computes preliminary estimates of parameters for a univariate transfer function model.

MULTICHANNEL TIME SERIES

MLSE Computes least-squares estimates of a linear regression model for a multichannel time series with a specified base channel.

MWFE Computes least-squares estimates of the multichannel Wiener filter coefficients for two mutually stationary multichannel time series.

KALMN Performs Kalman filtering and evaluates the likelihood function for the state-space model.

AUTOMATIC MODEL SELECTION FITTING

AUTO_UNI_AR Automatic selection and fitting of a univariate autoregressive time series model.

AUTO_FPE_UNI_AR Automatic selection and fitting of a univariate autoregressive time series model using Akaike's Final Prediction Error (FPE) criteria.

AUTO_MUL_AR Automatic selection and fitting of a multivariate autoregressive time series model.

AUTO_FPE_MUL_AR Automatic selection and fitting of a multivariate autoregressive time series model using Akaike's Multivariate Final Prediction Error (MFPE) criteria.

BAYESIAN TIME SERIES ESTIMATION

BAY_SEA Allows for a decomposition of a time series into trend, seasonal, and an error component.

CONTROLLER DESIGN

OPT_DES Allows for multiple channels for both the controlled and manipulated variables.

DIAGNOSTICS

LOFCF Performs lack-of-fit test for a univariate time series or transfer function given the appropriate correlation function.

FREQUENCY DOMAIN METHODOLOGY

SMOOTHING FUNCTIONS

DIRIC Computes the Dirichlet kernel.

FEJER Computes the Fejér kernel.

SPECTRAL DENSITY ESTIMATION

ARMA_SPEC Calculates the rational power spectrum for an ARMA model.

PFFT Computes the periodogram of a stationary time series using a fast Fourier transform.

SSWD Estimates the nonnormalized spectral density of a stationary time series using a spectral window given the time series data.

SSWP Estimates the nonnormalized spectral density of a stationary time series using a spectral window given the periodogram.

SWED Estimates the nonnormalized spectral density of a stationary time series based on specified periodogram weights given the time series data.

SWEP Estimates the nonnormalized spectral density of a stationary time series based on specified periodogram weights given the periodogram.

CROSS-SPECTRAL DENSITY ESTIMATION

CPFFT Computes the cross periodogram of two stationary time series using a fast Fourier transform.

CSSWD Estimates the nonnormalized cross-spectral density of two stationary time series using a spectral window given the time series data.

CSSWP Estimates the nonnormalized cross-spectral density of two stationary time series using a spectral window given the spectral densities and cross periodogram.

CSWED Estimates the nonnormalized cross-spectral density of two stationary time series using a weighted cross periodogram given the time series data.

CSWEP Estimates the nonnormalized cross-spectral density of two stationary time series using a weighted cross periodogram given the spectral densities and cross periodogram.

CHAPTER 9: COVARIANCE STRUCTURES AND FACTOR ANALYSIS

PRINCIPAL COMPONENTS

PRINC	Computes principal components from a variance-covariance matrix or a correlation matrix.
KPRIN	Maximum likelihood or least-squares estimates for principal components from one or more matrices.

FACTOR ANALYSIS

FACTOR EXTRACTION

FACTR	Extracts initial factor loading estimates in factor analysis.
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FACTOR ROTATION AND SUMMARIZATION

FROTA	Computes an orthogonal rotation of a factor loading matrix using a generalized orthomax criterion, including quartimax, varimax, and equamax rotations.
FOPCS	Computes an orthogonal Procrustes rotation of a factor-loading matrix using a target matrix.
FDOBL	Computes a direct oblimin rotation of a factor loading matrix.
FPRMX	Computes an oblique Promax or Procrustes rotation of a factor loading matrix using a target matrix, including pivot and power vector options.
FHARR	Computes an oblique rotation of an unrotated factor loading matrix using the Harris-Kaiser method.
FGCRF	Computes direct oblique rotation according to a generalized fourth-degree polynomial criterion.
FIMAG	Computes the image transformation matrix.
FRVAR	Computes the factor structure and the variance explained by each factor.

FACTOR SCORES

FCOEF	Computes a matrix of factor score coefficients for input to the routine FSCOR.
FSCOR	Computes a set of factor scores given the factor score coefficient matrix.

RESIDUAL CORRELATION

FRESI Computes communalities and the standardized factor residual correlation matrix.

INDEPENDENCE OF SETS OF VARIABLES AND CANONICAL CORRELATION ANALYSIS

MVIND Computes a test for the independence of k sets of multivariate normal variables.

CANCR Performs canonical correlation analysis from a data matrix.

CANVC Performs canonical correlation analysis from a variance-covariance matrix or a correlation matrix.

CHAPTER 10: DISCRIMINANT ANALYSIS**PARAMETRIC DISCRIMINATION**

DSCRM Performs a linear or a quadratic discriminant function analysis among several known groups.

DMSCR Uses Fisher's linear discriminant analysis method to reduce the number of variables.

NONPARAMETRIC DISCRIMINATION

NNBRD Performs k nearest neighbor discrimination.

CHAPTER 11: CLUSTER ANALYSIS**HIERARCHICAL CLUSTER ANALYSIS**

CDIST Computes a matrix of dissimilarities (or similarities) between the columns (or rows) of a matrix.

CLINK Performs a hierarchical cluster analysis given a distance matrix.

CNUMB Computes cluster membership for a hierarchical cluster tree.

K-MEANS CLUSTER ANALYSIS**KMEAN**

Performs a K-means (centroid) cluster analysis.

CHAPTER 12: SAMPLING**SMPPR**

Computes statistics for inferences regarding the population proportion and total given proportion data from a simple random sample.

SMPPS

Computes statistics for inferences regarding the population proportion and total given proportion data from a stratified random sample.

SMPRR

Computes statistics for inferences regarding the population mean and total using ratio or regression estimation, or inferences regarding the population ratio given a simple random sample.

SMPRS

Computes statistics for inferences regarding the population mean and total using ratio or regression estimation given continuous data from a stratified random sample.

SMPSC

Computes statistics for inferences regarding the population mean and total using single stage cluster sampling with continuous data.

SMPSR

Computes statistics for inferences regarding the population mean and total, given data from a simple random sample.

SMPSS

Computes statistics for inferences regarding the population mean and total, given data from a stratified random sample.

SMPST

Computes statistics for inferences regarding the population mean and total given continuous data from a two-stage sample with equisized primary units.

CHAPTER 13: SURVIVAL ANALYSIS, LIFE TESTING AND RELIABILITY**SURVIVAL ANALYSIS****KAPMR**

Computes Kaplan-Meier estimates of survival probabilities in stratified samples.

KTBLE

Prints Kaplan-Meier estimates of survival probabilities in stratified samples.

TRNBL

Computes Turnbull's generalized Kaplan-Meier estimates of survival probabilities in samples with interval censoring.

SURVIVAL ANALYSIS (con't)

PHGLM	Analyzes time event data via the proportional hazards model.
SVGLM	Analyzes censored survival data using a generalized linear model.
STBLE	Estimates survival probabilities and hazard rates for various parametric models.

ACTUARIAL TABLES

ACTBL	Produces population and cohort life tables.
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CHAPTER 14: MULTIDIMENSIONAL SCALING**MULTIDIMENSIONAL SCALING ROUTINES**

MSIDV	Performs individual-differences multidimensional scaling for metric data using alternating least squares.
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UTILITY ROUTINES

MSDST	Computes distances in a multidimensional scaling model.
MSSTN	Transforms dissimilarity/similarity matrices and replaces missing values by estimates to obtain standardized dissimilarity matrices.
MSDBL	Obtains normalized product-moment (double centered) matrices from dissimilarity matrices.
MSINI	Computes initial estimates in multidimensional scaling models.
MSTRS	Computes various stress criteria in multidimensional scaling.

CHAPTER 15: DENSITY AND HAZARD ESTIMATION**ESTIMATES FOR A DENSITY**

DESPL	Performs nonparametric probability density function estimation by the penalized likelihood method.
DESKN	Performs nonparametric probability density function estimation by the kernel method.

ESTIMATES FOR A DENSITY (con't)

DNFFT Computes Gaussian kernel estimates of a univariate density via the fast Fourier transform over a fixed interval.

DESPT Estimates a probability density function at specified points using linear or cubic interpolation.

MODIFIED LIKELIHOOD ESTIMATES FOR HAZARDS

HAZRD Performs nonparametric hazard rate estimation using kernel functions and quasi-likelihoods.

HAZEZ Performs nonparametric hazard rate estimation using kernel functions. Easy-to-use version of HAZRD.

HAZST Performs hazard rate estimation over a grid of points using a kernel function.

CHAPTER 16: LINE PRINTER GRAPHICS**HISTOGRAMS**

VHSTP Prints a vertical histogram.

VHS2P Prints a vertical histogram with every bar subdivided into two parts.

HHSTP Prints a horizontal histogram.

SCATTERPLOTS

SCTP Prints a scatter plot of several groups of data

EXPLORATORY DATA ANALYSIS

BOXP Prints boxplots for one or more samples.

STMLP Prints a stem-and-leaf plot.

EMPIRICAL PROBABILITY DISTRIBUTION

CDFP Prints a sample cumulative distribution function (CDF), a theoretical CDF, and confidence band information.

CDF2P Prints a plot of two sample cumulative distribution functions.

PROBP Prints a probability plot.

OTHER GRAPHICS ROUTINES

PLOTP Prints a plot of up to 10 sets of points.

TREEP Prints a binary tree.

CHAPTER 17: PROBABILITY DISTRIBUTION FUNCTIONS AND INVERSES

DISCRETE RANDOM VARIABLES: CUMULATIVE DISTRIBUTION FUNCTIONS AND PROBABILITY DENSITY FUNCTIONS

BINDF Evaluates the binomial cumulative distribution function.

BINPR Evaluates the binomial probability density function.

GEODF Evaluates the discrete geometric cumulative distribution function.

GEOIN Evaluates the inverse of the geometric cumulative distribution function.

GEOPR Evaluates the discrete geometric probability density function.

HYPDF Evaluates the hypergeometric cumulative distribution function.

HYPPR Evaluates the hypergeometric probability density function.

POIDF Evaluates the Poisson cumulative distribution function.

POIPR Evaluates the Poisson probability density function.

UNDDF Evaluates the discrete uniform cumulative distribution function.

UNDIN Evaluates the inverse of the discrete uniform cumulative distribution function.

UNDPR Evaluates the discrete uniform probability density function.

CONTINUOUS RANDOM VARIABLES: DISTRIBUTION FUNCTIONS AND THEIR INVERSES

AKS1DF Evaluates the cumulative distribution function of the one-sided Kolmogorov-Smirnov goodness of fit D^+ or D^- test statistic based on continuous data for one sample.

AKS2DF Evaluates the cumulative distribution function of the Kolmogorov-Smirnov goodness of fit D test statistic based on continuous data for two samples.

ALNDF Evaluates the lognormal cumulative distribution function.

CONTINUOUS RANDOM VARIABLES: DISTRIBUTION FUNCTIONS
AND THEIR INVERSES (con't)

ALNIN	Evaluates the inverse of the lognormal cumulative distribution function.
ALNPR	Evaluates the lognormal probability density function.
ANORDF	Evaluates the standard normal (Gaussian) cumulative distribution function.
ANORIN	Evaluates the inverse of the standard normal (Gaussian) cumulative distribution function.
ANORPR	Evaluates the normal probability density function.
BETDF	Evaluates the beta cumulative distribution function.
BETIN	Evaluates the inverse of the beta cumulative distribution function.
BETPR	Evaluates the beta probability density function.
BNRDF	Evaluates the bivariate normal cumulative distribution function.
CHIDF	Evaluates the chi-squared cumulative distribution function.
CHIIN	Evaluates the inverse of the chi-squared cumulative distribution function.
CHIPR	Evaluates the chi-squared probability density function.
CSNDF	Evaluates the noncentral chi-squared cumulative distribution function.
CSNIN	Evaluates the inverse of the noncentral chi-squared cumulative distribution function.
EXPDF	Evaluates the exponential cumulative distribution function.
EXPIN	Evaluates the inverse of the exponential cumulative distribution function.
EXPPR	Evaluates the exponential probability density function.
EXVDF	Evaluates the extreme value cumulative distribution function.
EXVIN	Evaluates the inverse of the extreme value cumulative distribution function.
EXVPR	Evaluates the extreme value probability density function.
FDF	Evaluates the F cumulative distribution function.
FIN	Evaluates the inverse of the F cumulative distribution function.
FPR	Evaluates the F probability density function.

CONTINUOUS RANDOM VARIABLES: DISTRIBUTION FUNCTIONS
AND THEIR INVERSES (con't)

GAMDF	Evaluates the gamma cumulative distribution function.
GAMIN	Evaluates the inverse of the gamma cumulative distribution function.
GAMPR	Evaluates the gamma probability density function.
RALDF	Evaluates the Rayleigh cumulative distribution function.
RALIN	Evaluates the inverse of the Rayleigh cumulative distribution function.
RALPR	Evaluates the Rayleigh probability density function.
TDF	Evaluates the Student's t cumulative distribution function.
TIN	Evaluates the inverse of the Student's t cumulative distribution function.
TPR	Evaluates the Student's t probability density function.
TNDF	Evaluates the noncentral Student's t cumulative distribution function.
TNIN	Evaluates the inverse of the noncentral Student's t cumulative distribution function.
UNDF	Evaluates the uniform cumulative distribution function.
UNIN	Evaluates the inverse of the uniform cumulative distribution function.
UNPR	Evaluates the uniform probability density function.
WBLDF	Evaluates the Weibull cumulative distribution function.
WBLIN	Evaluates the inverse of the Weibull cumulative distribution function.
WBLPR	Evaluates the Weibull probability density function.

GENERAL CONTINUOUS RANDOM VARIABLES

GCDF	Evaluates a general continuous cumulative distribution function given ordinates of the density.
GCIN	Evaluates the inverse of a general continuous cumulative distribution function given ordinates of the density.
GFNIN	Evaluates the inverse of a general continuous cumulative distribution function given in a subprogram.

CHAPTER 18: RANDOM NUMBER GENERATION

UTILITY ROUTINES FOR RANDOM NUMBER GENERATORS

RNGE32	Retrieves the current table used in the 32-bit Mersenne Twister generator.
RNGE64	Retrieves the current table used in the 64-bit Mersenne Twister generator.
RNGEF	Retrieves the current value of the array used in the IMSL GFSR random number generator.
RNGES	Retrieves the current value of the table in the IMSL random number generators that use shuffling.
RNGET	Retrieves the current value of the seed used in the IMSL random number generators.
RNIN32	Initializes the 32-bit Mersenne Twister generator using an array.
RNIN64	Initializes the 64-bit Mersenne Twister generator using an array.
RNISD	Determines a seed that yields a stream beginning 100,000 numbers beyond the beginning of the stream yielded by a given seed used in IMSL multiplicative congruential generators (with no shufflings).
RNOPG	Retrieves the indicator of the type of uniform random number generator.
RNOPT	Selects the uniform (0,1) multiplicative congruential pseudorandom number generator.
RNSE32	Sets the current table used in the 32-bit Mersenne Twister generator.
RNSE64	Sets the current table used in the 64-bit Mersenne Twister generator.
RNSEF	Retrieves the array used in the IMSL GFSR random number generator.
RNSES	Initializes the table in the IMSL random number generators that use shuffling.
RNSET	Initializes a random seed for use in the IMSL random number generators.

BASIC UNIFORM DISTRIBUTION

RNUN	Generates pseudorandom numbers from a uniform (0, 1) distribution.
RNUNF	Generates a pseudorandom number from a uniform (0, 1) distribution.

UNIVARIATE DISCRETE DISTRIBUTIONS

RNBIN	Generates pseudorandom numbers from a binomial distribution.
RNGDA	Generates pseudorandom numbers from a general discrete distribution using an alias method.
RNGDS	Sets up table to generate pseudorandom numbers from a general discrete distribution.
RNGDT	Generates pseudorandom numbers from a general discrete distribution using a table lookup method.
RNGEO	Generates pseudorandom numbers from a geometric distribution.
RNHYP	Generates pseudorandom numbers from a hypergeometric distribution.
RNLGR	Generates pseudorandom numbers from a logarithmic distribution.
RNNBN	Generates pseudorandom numbers from a negative binomial distribution.
RNPOI	Generates pseudorandom numbers from a Poisson distribution.
RNUND	Generates pseudorandom numbers from a discrete uniform distribution.

UNIVARIATE CONTINUOUS DISTRIBUTIONS

RNBET	Generates pseudorandom numbers from a beta distribution.
RNCHI	Generates pseudorandom numbers from a chi-squared distribution.
RNCHY	Generates pseudorandom numbers from a Cauchy distribution.
RNEXP	Generates pseudorandom numbers from a standard exponential distribution.
RNEXV	Generates pseudorandom numbers from an extreme value distribution.
RNFDF	Generates pseudorandom numbers from the F distribution.
RNEXT	Generates pseudorandom numbers from a mixture of two exponential distributions.
RNGAM	Generates pseudorandom numbers from a standard gamma distribution.
RNGCS	Sets up table to generate pseudorandom numbers from a general continuous distribution.
RNGCT	Generates pseudorandom numbers from a general continuous distribution.
RNLNL	Generates pseudorandom numbers from a lognormal distribution.

UNIVARIATE CONTINUOUS DISTRIBUTIONS (cont)

RNNOA	Generates pseudorandom numbers from a standard normal distribution using an acceptance/rejection method.
RNNOF	Generates a pseudorandom number from a standard normal distribution.
RNNOR	Generates pseudorandom numbers from a standard normal distribution using an inverse CDF method.
RNRAL	Generates pseudorandom numbers from a Rayleigh distribution.
RNSTA	Generates pseudorandom numbers from a stable distribution.
RNSTT	Generates pseudorandom numbers from a Student's t distribution.
RNTRI	Generates pseudorandom numbers from a triangular distribution on the interval (0, 1).
RNVMS	Generates pseudorandom numbers from a von Mises distribution.
RNWIB	Generates pseudorandom numbers from a Weibull distribution.

MULTIVARIATE DISTRIBUTIONS

RNCOR	Generates a pseudorandom orthogonal matrix or a correlation matrix.
RNDAT	Generates pseudorandom numbers from a multivariate distribution determined from a given sample.
RNMTN	Generates pseudorandom numbers from a multinomial distribution.
RNMVN	Generates pseudorandom numbers from a multivariate normal distribution.
RNSPH	Generates pseudorandom points on a unit circle or K-dimensional sphere.
RNTAB	Generates a pseudorandom two-way table.

ORDER STATISTICS

RNNOS	Generates pseudorandom order statistics from a standard normal distribution.
RNUNO	Generates pseudorandom order statistics from a uniform (0, 1) distribution.

STOCHASTIC PROCESSES

RNARM	Generates a time series from a specified ARMA model.
RNNPP	Generates pseudorandom numbers from a nonhomogenous Poisson process.

SAMPLES AND PERMUTATIONS

RNPER	Generates a pseudorandom permutation.
RNSRI	Generates a simple pseudorandom sample of indices.
RNSRS	Generates a simple pseudorandom sample from a finite population.

LOW DISCREPANCY SEQUENCES

FAURE_FREE	Frees the structure containing information about the Faure sequence
FAURE_INIT	Generates pseudorandom numbers from a uniform (0, 1) distribution.
FAURE_NEXT	Computes a shuffled Faure sequence.

CHAPTER 19: UTILITIES**PRINT**

PGOPT	Sets or retrieves page width and length for printing.
WRIRL	Prints an integer rectangular matrix with a given format and labels.
WRIRN	Prints an integer rectangular matrix with integer row and column labels.
WROPT	Sets or retrieves an option for printing a matrix.
WRRRL	Prints a real rectangular matrix with a given format and labels.
WRRRN	Prints a real rectangular matrix with integer row and column labels.

PERMUTE

MVNaN	Moves any rows of a matrix with the IMSL missing value code NaN (not a number) in the specified columns to the last rows of the matrix.
PERMA	Permutates the rows or columns of a matrix.
PERMU	Rearranges the elements of an array as specified by a permutation.
RORDM	Reorders rows and columns of a symmetric matrix.

SORT

SCOLR	Sorts columns of a real rectangular matrix using keys in rows.
SROWR	Sorts rows of a real rectangular matrix using keys in columns.
SVIGN	Sorts an integer array by algebraically increasing value.
SVIGP	Sorts an integer array by algebraically increasing value and returns the permutation that rearranges the array.
SVRGN	Sorts a real array by algebraically increasing value.
SVRGP	Sorts a real array by algebraically increasing value and returns the permutation that rearranges the array.

SEARCH

ISRCH	Searches a sorted integer vector for a given integer and returns its index.
SRCH	Searches a sorted vector for a given scalar and returns its index.
SSRCH	Searches a character vector, sorted in ascending ASCII order, for a given string and returns its index.

CHARACTER STRING MANIPULATION

ACHAR	Returns a character given its ASCII value.
CVTSI	Converts a character string containing an integer number into the corresponding integer form.
IACHAR	Returns the integer ASCII value of a character argument.
ICASE	Returns the ASCII value of a character converted to uppercase.
IICSR	Compares two character strings using the ASCII collating sequence but without regard to case.
IIDEX	Determines the position in a string at which a given character sequence begins without regard to case.

TIME, DATE AND VERSION

CPSEC	Returns CPU time used in seconds.
IDYWK	Computes the day of the week for a given date.

TIME, DATE AND VERSION (con't)

NDAYS Computes the number of days from January 1, 1900, to the given date.

NDYIN Gives the date corresponding to the number of days since January 1, 1900.

TDATE Gets today's date.

TIMDY Gets time of day.

VERSL Obtains STAT/LIBRARY-related version, system and serial numbers.

RETRIEVAL OF DATA SETS

GDATA Retrieves a commonly analyzed data set.

CHAPTER 20: MATHEMATICAL SUPPORT

LINEAR SYSTEMS

CHFAC Cholesky factorization $R^T R$ of a nonnegative definite matrix

GIRTS Solves a triangular linear system given R .

MCHOL Modified Cholesky factorization

SPECIAL FUNCTIONS

AMILLR Mill's ratio

ENOS Expected value of a normal order statistic

NEAREST NEIGHBORS

NGHBR Searches a k - d tree for the m nearest neighbors

QUADT Forms a k - d tree